Abstract

The gains from insurance arise from the transfer of income across states. Yet, by requiring that the premium be paid upfront, standard insurance products also transfer income across time. We show that this intertemporal transfer can help explain low insurance demand, especially among the poor, and in a randomized control trial in Kenya we test a crop insurance product which removes it. The product is interlinked with a contract farming scheme: as with other inputs, the buyer of the crop offers the insurance and deducts the premium from farmer revenues at harvest time. The take-up rate for pay-at-harvest insurance is 72%, compared to 5% for the standard pay-upfront contract, and the difference is largest among poorer farmers. Additional experiments and outcomes provide evidence on the role of liquidity constraints, present bias, and counterparty risk, and find that enabling farmers to commit to pay the premium just one month later increases demand by 21 percentage points.
1 Introduction

In the textbook model of insurance, income is transferred across states of the world, from good states to bad. In practice, however, many insurance products also transfer income across time: the premium is paid upfront with certainty, and any payouts are made in the future, if a bad state occurs (Figure 1). As a result, the demand for insurance depends not just on risk aversion, but also on several additional factors, including liquidity constraints, intertemporal preferences, and trust. Moreover, the ability to self-insure depends on these same factors, so that charging the premium upfront may reduce demand for insurance precisely when the potential gains are largest, for example among the poor.

This paper provides experimental evidence on the consequences of the transfer across time common in insurance, by evaluating a crop insurance product which eliminates it. Crop insurance offers large potential welfare gains in developing countries, as farmers face risky incomes and have little savings to self-insure. Yet demand for crop insurance has remained persistently low, in spite of many attempts to increase adoption through heavy subsidies, product innovation, and marketing campaigns (Cole and Xiong 2017). The transfer across time is a potential explanation. Farmers face highly cyclical incomes which they struggle to smooth across time, and insurance makes doing so harder: premiums are due at planting, when farmers are investing, while any payouts are made at harvest, when farmers receive their income.1

The insurance product we study eliminates the transfer across time by charging the premium at harvest, rather than upfront. We work in partnership with a Kenyan contract farming company, one of the largest agri-businesses in East Africa, which contracts small-holder farmers to grow sugarcane. As is standard in contract farming, the company provides inputs to the farmers on credit, deducting the costs directly from farmers’ revenues at harvest time. In the experiment, the company uses the same mechanism to collect insurance premiums: it offers the insurance product early in the growing cycle and deducts the premium (plus interest) at harvest, 14-16 months later.

Our first experiment shows that delaying the premium payment until harvest time results in a large increase in insurance demand. In the experiment, we offered insurance to 605 of the farmers contracting with the company and randomized the timing of the premium payment. Take-up of the standard, pay-upfront insurance was 5%: low, but not out of line with results for other “actuarially-fair” insurance products in similar settings. In contrast, when the premium was due at harvest time (including interest at 1% per month, the rate which the company charges on input

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1Further, while farmers can often reduce their idiosyncratic income risk through informal risk sharing (Townsend 1994), similar mechanisms are less effective for reducing seasonal variation in income, which is aggregate.
loans), take-up was 72%, substantially higher than for other insurance products in similar settings. To benchmark this difference, in a third treatment arm we offered a 30% price discount on the pay-upfront premium. Take-up among this third group was 6%, not significantly different from take-up under the full-price upfront premium.

While the results show that delaying the premium payment increases insurance demand dramatically, charging premiums upfront ensures that they are paid. Our contract farming setting facilitates at-harvest premium collection, as the company does the harvesting and can deduct premiums directly from farmers’ payments. Yet, even in this setting, contract enforcement was an important issue. Before the plots in our sample were to be harvested, the company announced severe financial difficulties and temporarily shut down their factory. This resulted in long delays and uncertainty in harvesting, and in turn to unprecedented side-selling (52% vs. a loose upper-bound of 15% historically), highlighting the challenge of delaying premium payments in settings with imperfect contract enforcement.

Given this episode, it is especially important to consider the channels driving the high demand for pay-at-harvest insurance vis-a-vis the low demand for pay-upfront insurance. To do so - and to layout the broader implications of the transfer across time in insurance - we first develop an intertemporal model of insurance demand. Then, guided by the model, we present additional empirical evidence, including from two small mechanism experiments (Ludwig et al. 2011), on the role of liquidity constraints, time preferences, and imperfect contract enforcement.

The model shows that the transfer across time in insurance can help explain why the poor demand so little of it. The model is based on a buffer-stock saving model (Deaton 1991). Liquidity constraints are central and play a dual role. First, they make paying the premium upfront more costly (if the borrowing constraint may bind, or almost bind, before harvest). Second, they make self-insurance (through consumption smoothing) harder, and thus increase the gains from risk reduction. As such, the transfer across time in insurance reduces demand precisely when the potential gains from insurance are largest – when liquidity constraints might bind. In the model, as in the real world, the poor are more susceptible to liquidity constraints, and thus are predicted to have both higher demand for pay-at-harvest insurance and a larger drop in demand when having to pay upfront. Heterogeneous treatment effects show that both predictions hold, for the poor and for the liquidity constrained, in the main experiment. Finally, the model also shows how imperfect contract enforcement affects the demand for pay-upfront and pay-at-harvest insurance, and allows us to bound the relative effect, which we return to below.

In the first mechanism experiment, we test for a primitive form of cash constraints: did farmers
just not have the cash to pay upfront? To do so, we gave a subset of farmers cash (enough to cover the premium), before offering them insurance later in the same meeting (similar to Cole et al. 2013a). The cash drop did increase take-up of pay-upfront insurance, by 20 percentage points, but take-up remained much lower than take-up of Pay-At-Harvest insurance (in spite of any reciprocity effects that the cash gift may have induced). This shows that our main result was not simply driven by farmers not having cash; rather, for most, pay-upfront insurance was not the marginal expenditure.

In the second mechanism experiment, we test whether allowing farmers to pre-commit to buying insurance in one month’s time increases take-up. In the experiment, farmers had to choose between a cash payment, equal to the insurance premium, and free enrollment in the insurance. One half of farmers were told they would receive their choice immediately, whereas the other half of farmers were told they would receive their choice in one month’s time. When farmers made choices for the subsequent month, insurance take-up increased by 21 percentage points. The effect suggests that farmers are present-biased as it is difficult to explain its magnitude with standard exponential discounting. Moreover, the result provides additional (implicit) evidence of liquidity constraints, as time preferences should only matter when farmers cannot borrow at the market rate, given the experimental design.

Lastly, we consider the role of imperfect contract enforcement. The company’s default on the sales contract implies an automatic default on the insurance contract. What role did any potential anticipation of such a default play in our results? First, the model clarifies that expectation of company default would reduce demand for pay-upfront insurance but would not increase demand for pay-at-harvest insurance (since neither premium nor payout would be paid under default). Yet, compared with other studies, the high take-up of pay-at-harvest insurance is the outlier, rather than the low take-up of pay-upfront. Second, the model also shows that we can bound the differential effect of imperfect enforcement on take-up by the direct effect of a price cut in the pay-upfront premium; in particular, a proportional price cut of the expected probability of side-selling times the relative (expected) marginal utility of consumption conditional on side-selling. Yet, the main experiment showed that demand for pay-upfront insurance is not very elastic. Thus, for default to be an important channel, one of these two terms would have had to be large; other results suggest

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2To try to control for reciprocity, we cross-cut the cash treatment with a pay-upfront vs pay-at-harvest treatment, and the difference-in-differences effect of the cash was only 8%.

3Giving farmers the choice between the premium and insurance for free, rather than the choice of whether to buy insurance, eased liquidity constraints and enabled us to enforce payment in the one month treatment.

4Under exponential discounting, the one-month delay in cash payment would substantially raise take-up only if the discount factor was very low. However, if this were the case, the insurance would still be unattractive given that it benefits the farmer only more than one year after the cash payment.
they were not. Third, both survey measures of trust in the company and historical side-selling rates at the local level are uncorrelated with the effect of delaying premium payment on take-up, suggesting that any anticipation of company default played little role (in so far as it varied among farmers). To summarize, while it is certainly possible that expectation of default played some role in the differential take-up we observe in the main experiment, the evidence (including from the mechanism experiments, where take-up in the one-month treatment was 72%, in spite of farmers facing the full default risk) suggests it was not the main driver.

This paper adds to several strands of literature. First, numerous papers have investigated the factors that constrain demand for agricultural insurance (Cole et al. 2013a; Karlan et al. 2014). Yet, in spite of many innovative efforts, demand has remained stubbornly low, even at highly subsidized prices. Most proposed explanations, such as risk preferences and basis risk (Mobarak and Rosenzweig 2012; Elabed et al. 2013; Clarke 2016), concern the transfer across states in insurance; we instead focus on the transfer across time. From a policy point of view, the large demand effect we find, especially relative to the small effects of previous interventions, suggest that the challenge of enforcing delayed premium payments warrants serious consideration and future work. We discuss this challenge, along with ideas for addressing it, in Section 6.

The timing of payment has been found to be an important determinant of demand for other products in similar settings, such as fertilizer, bednets, cookstoves, and water connections (Duflo et al. 2011; Devoto et al. 2012; Fink and Masiye 2012; Tarozzi et al. 2014; Levine et al. 2018). These products are investments, where the main benefits are the high expected returns. For insurance, in contrast, the main benefit is reducing consumption variation: making payments when times are good, in order to receive payouts when times are bad. If the timing is wrong, there are no benefits.

While we study the impact of offering loans to buy insurance on credit, several studies have tried insuring loans (Gine and Yang 2009; Carter et al. 2011; Karlan et al. 2011), finding that demand for loans increases little, and in some cases decreases, when doing so. The closest paper to ours, Liu et al. (2016), finds that, for livestock mortality insurance in China, delaying premium payment increases take-up from 5% to 16%; Liu and Myers (2016) considers the theoretical implications. As far as we know, our paper is the first to provide experimental evidence on the effect of completely removing the intertemporal transfer from insurance contracts, and on the role of

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5Karlan et al. (2014) find the highest take-up rates at actuarially fair prices among these studies, at around 40%; but most find significantly lower rates, for example Ahmed et al. (2017); Giné et al. (2008) and Dercon et al. (2014) (in the untrained group) all find take-up rates of less than 5%. Moreover, the extensive margin alone does not give the whole story. Those studies which do find slightly higher take-up rates typically allowed farmers to choose how many units of insurance to buy (in small increments) and few buy a meaningful amount of insurance on this intensive margin. For example, in Cole et al. (2013a), those which did buy insurance almost universally bought just one dollar’s worth, the minimal amount (Mobarak and Rosenzweig 2012 find a similar result).
liquidity constraints, present bias and other channels. Additionally, we show theoretically and empirically, that the transfer across time is most costly for the poor, providing a potential explanation for their low insurance demand.\textsuperscript{6}

The transfer across time in insurance is studied implicitly in finance, but the focus is on how insurance companies benefit by investing the premiums (Becker and Ivashina 2015), rather than on the cost for consumers, our focus. A recent exception is a largely theoretical literature (Rampini and Viswanathan 2010; Rampini et al. 2014) which argues that firms face a trade-off between financing and insurance. Rampini and Viswanathan (2016) apply similar reasoning to households.\textsuperscript{7} These papers are part of a wide literature on how imperfect enforcement affects the set of financial contracts that exists (Bulow and Rogoff 1989; Ligon et al. 2002), to which we add by considering the implications of imperfect enforcement for the timing of insurance premiums.

Finally, delayed premium payments should certainly not be considered a panacea, even when they are enforceable. If the insurance product itself is not attractive, people will not buy it, regardless of the timing. For example, in Banerjee et al. (2014), take-up for health insurance was low even when subscribers could pay for it in installments, possibly because potential clients anticipated subsequent mismanagement in the claim and reimbursement process. Further, for several important forms of insurance, the premium is already not charged upfront. Examples include Federal Crop Insurance in the US, which is pay-at-harvest, futures contracts, and social security. Assessing the quantitative importance of the premium timing in other settings is an important open area for future research and policy consideration.

The remainder of the paper is organized as follows. Section 2 describes the setting in which the experiment took place. Section 3 presents the main experimental design and results. Section 4 develops an intertemporal model of insurance demand, which provides comparative statics and directs subsequent experiments. Section 5 presents evidence on channels, from the main experiment and from two additional mechanism experiments. Section 6 discusses the policy implications of our results, both for crop insurance and for insurance markets more generally, and presents ideas for future work. Section 7 concludes.

\textsuperscript{6}We add two further contributions relative to these existing papers. First, we work in a setting where contract enforcement is challenging and consider a novel way to potentially improve it: tying the insurance contract to a production contract. This is important, since it is exactly in such settings where credit markets are likely to be inefficient, and hence paying the premium upfront will be costly. Second, we work with crop insurance, where seasonality increases the importance of the transfer across time.

\textsuperscript{7}They show that limited liability results in poorer households facing greater income risk in equilibrium, even with a full set of state-contingent assets.
2 Setting, contract farming, and interlinked insurance

We work in Western Kenya with small-holder sugarcane farmers. Sugarcane is the main cash crop in the region, accounting for more than a quarter of total income for 80% of farmers in our sample. It has a long growing cycle (around sixteen months), leading to a long transfer across time in pay-upfront insurance, and it is not seasonal. Once planted, crops last upwards of three growing cycles; the first cycle, called the plant cycle, involves higher input costs and hence lower profits than the subsequent cycles, called the ratoon cycles. Crop failure is rare, but yields are subject to significant risks from rainfall, climate, pests and cane fires. Sugarcane farmers are typically poor, but not the poorest in the region: among our sample, 80% own at least one cow, the average total cultivated land is 2.9 acres, and the average sugarcane plot is 0.8 acres. Very few farmers in the study area have had experience with formal insurance.

2.1 Contract farming

We work in partnership with a contract farming company which has been working in the area since the 1970s. It is one of the largest agri-businesses in East Africa and contracts around 80,000 small-holder farmers. As is standard in contract farming - a production form of increasing prevalence (UNCTAD 2009) - farmers sign a contract with the company, at planting, which guarantees them a market and binds them to sell to the company, at harvest. The contract covers the life of the cane seed, meaning multiple harvests over at least four years. Each harvest, company contractors do the harvesting and transport the cane to the company factory, after which farmers are paid by weight, at a price set by the Kenyan Sugar Board (the regulatory body of the national sugar industry).

Interlinked credit A major benefit of contract farming is that buyers can supply productive inputs to farmers on credit, and then recover these input loans through deductions from harvest revenues. Such practice, often referred to as interlinking credit and production markets, is widespread. Our partner company provides numerous inputs in this way, such as land preparation, seedcane, fertilizer, and harvesting services, and charges 1% per month interest on the loans.

Contract enforcement The supply of loans by the buyer raises the issue of contract enforcement, which will be important for considering insurance demand. In our setting, as is common in developing countries, the company must rely on self-enforcement of the contract - while illegal, farmers may side-sell (i.e. sell to another buyer, breaking the contract) with little risk of prosecution. By side-selling, farmers avoid repaying the input loan, and are paid immediately upon
harvesting, but are typically paid a significantly lower price for their cane (both because side-selling is illegal, and because sugarcane is a bulky crop, so that transport costs to other factories are high). While the company cannot directly penalize farmers for side-selling, it does collect any dues owed (plus interest) if the same plot is re-contracted in the future, or from other plots if the farmer contracts multiple plots. Our administrative data does not tell us historical levels of side-selling, but does allow us to bound them. In the three years before the experiment, an average of 12% of plots which harvested in ratoon 1 did not harvest in ratoon 2 - an upper bound on side-selling / default, because it includes cases where farmers uproot the crop before inputs are applied (for example because of crop disease or poor yields). We could not ask farmers detailed questions about side-selling because it is illegal.

The company’s main obligation under the contract is to harvest and purchase farmers’ cane at a price set by the Kenyan Sugar Board. Farmers are well represented politically in the region, so serious breaches of the contract by the company are unlikely under normal circumstances. However, were the company to become insolvent, it would be unable to purchase the cane, in which case farmers may be forced sell to another buyer. This happened, temporarily, 12 months after the start of our experiment, affecting some of the farmers in our sample. In Section 5.4 we discuss in detail the implications for the interpretation of our results - to summarize, across multiple tests we find no evidence that ex-ante anticipation of this episode affected our main results, and we bound the size of the role it could have played.

Administration How the company coordinates with its farmers has two implications for our study. First, the company employs outreach workers to visit farmers in their homes and to monitor plots. These outreach workers market the insurance product we introduce, as detailed in the next section. Second, because of fixed costs in input provision, the outreach workers group neighboring plots into administrative units, called fields, which are provided inputs and harvested concurrently. As detailed in Section 3, we stratify treatment assignment at the field level in our experiments. Fields typically contain three to ten plots.

2.2 Interlinked insurance

In standard insurance contracts farmers pay the premium upfront and so bear all of the contract risk. Pay-at-harvest insurance reduces the contract risk they face, as they do not pay the premium if the insurance company defaults before harvest time. However, it places significant contract risk

\footnote{Debts remain on plots even if plots are sold and are collected from future revenues regardless of who farms the plot.}

\footnote{Consistent with this, trust has been shown to be an important issue in shaping insurance take-up in other settings (Dercon et al. 2011, Cole et al. 2013a).}
on the insurer: the risk that farmers do not pay premiums when harvests are good. In contract farming settings, this risk may be reduced by using the same mechanism used to enforce repayment of input loans: the buyer can provide the insurance, and charge the premium as a deduction from farmers’ harvest revenues.

Tying together the insurance and production contracts in this way, which we refer to as interlinking, will typically help enforce harvest-time premiums by increasing the cost to farmers of defaulting on them. In an interlinked contract, the only way farmers can default on premiums is by defaulting on the sale contract. Doing so compromises all the gains from the relationship with the buyer, including the current and future purchase guarantees and future input provision. However, interlinking can also encourage default on the insurance contract, if a farmer wants to side-sell for some other reason (although, under the assumption that increasing the premium does not increase such side-selling, it can be priced into the insurance contract). In Section 4.3.1 we consider the question of contract enforcement theoretically.

Interlinking pay-at-harvest insurance with the production contract could increase side-selling in the latter, but there are two reasons to believe that this effect will be minimal in our setting. First, the insurance premium is small, and typically much smaller than the pre-existing input loans. Thus it is unlikely to be marginal in the strategic decision to default (a comparison between the static benefits of defaulting and the continuation value of the relationship). Second, given the insurance design (detailed in the next section), the farmer has limited information about his likely payout when he has to decide whether to side-sell. In line with these arguments, Section 5.4 reports that interlinked insurance did not increase side-selling.

Finally, we note that in contract farming, since many of the inputs are provided by the company, the scope for insurance to affect productivity is reduced. In our setting farmers’ only inputs are the use of their land and their labor for planting, weeding, and protecting the crop. This is a double-edged sword: insurance is less likely both to induce moral hazard, which would lower productivity, and to enable risky investments (Karlan et al. 2014), which would increase productivity.

Our paper adds to the literature on interlinked contracts in developing country settings (Bardhan, 1991). In particular, our work relates to research documenting informal insurance agreements in output and credit market contracts (Udry 1994; Minten et al. 2011), and to a recent line of empirical research on the emergence and impact of interlinked transactions (Macchiavello and Morjaria 2014, 2015; Blouin and Macchiavello 2017; Casaburi and Macchiavello 2018; Casaburi and Reed 2017; Ghani and Reed 2017).

Further, if farmers value access to insurance in future years, insurance increases the continuation value of the relationship, and hence could actually reduce side-selling.
3 Does the transfer across time affect insurance demand?

This section describes the main experiment of the paper, in which we compare take-up for insurance when the premium is paid upfront to take-up when the premium is paid at harvest time, thus removing the intertemporal transfer. Changing the timing of the premium increases take-up by 67 percentage points.

3.1 Experimental design

**Treatment groups** The experimental design randomized 605 farmers across three treatment groups (Figure 2). In all three treatments farmers were offered the same insurance product, described below; the only thing varied was the premium. In the first group (U1), farmers were offered the insurance product and had to pay the premium upfront, at “full price” (which across the study spanned between 85% and 100% of the actuarially fair price. In the second group (U2), premium payment was again upfront, but farmers received a 30% discount relative to the full price. In the third group (H), farmers could subscribe for the insurance and have the (full-price) premium deducted from their revenues at harvest time, including interest (charged at the same rate used for the inputs the company supplies on credit, 1% per month). Randomization occurred at the plot level and was stratified by field (i.e. groups of nearby plots). Farmers were unlikely to be sampled more than once, but in the few (3.5%) cases where they were, only one of their plots was retained in the sample.

**Insurance design** The insurance was offered by the company and the payout design was the same across all experimental treatments. There was no intensive margin of insurance and farmers could only subscribe for their entire plot, not parts of it. The insurance had a double-trigger area yield design, preferred to a standard rainfall insurance because it had lower basis risk. Under the design, a farmer received a payout if two conditions were met: first, if their plot yield was below 90% of its predicted level; and second, if the average yield in their field was below 90% of its predicted level. The design borrows from studies which used similar double-trigger products in other settings (Elabed et al. 2013), and its development relied on rich plot-level administrative panel data for predictions, simulations, and costing. The product was very much a partial

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12 The interest was added to the initial premium when marketing the insurance product. This interest rate is somewhat lower than that often charged in similar settings – 20-30% per year is common for small-scale agricultural loans - reflecting how farmer’s crops act as (imperfect) collateral. However, comparing take-up under the 30% price-cut treatment vs. under the pay-at-harvest treatment is equivalent to the considering the effect of the premium delay under a substantially higher interest rate. Inflation in Kenya was around 6% per annum during the study, so the real interest rate was 6% per annum.

13 The data included production, plot size, plot location, and crop cycle, and was available for a subsample of contracted plots for 1985-2006 and for all contracted plots from 2008 onwards. The data was used to compute
insurance product: in the states where payouts were triggered, it covered half of plot losses below the 90% trigger, up to a cap of 20% of predicted output. Finally, farmers would only receive any insurance payouts if they harvested with the company, as agreed under the production contract.

**Insurance marketing** The insurance was offered by company outreach officers during visits to the farmers. To reduce the risk of selecting farmers by their interest in insurance, the specific purpose of the visits was not announced in advance. 937 farmers were targeted, 638 (68%) of whom attended; the primary reason (75%) for non-attendance was that the farmers were busy somewhere far from the meeting location. To ensure that our sample consisted of farmers who were able to understand the insurance product, in an initial meeting outreach officers checked that target farmers mastered very basic related concepts (e.g. the concepts of tonnage and acres). A small number of farmers (5%), typically elderly, were deemed non-eligible at this stage. The resulting sample for randomization comprised 605 farmers. Compared to the 333 who did not enter the sample, they had slightly larger plots (0.81 vs. 0.75 acres; p-value=0.015) and similar yields (22.2 vs. 21.8 tons per acre; p-value=0.40).

After the initial meeting, the outreach officers explained the product in detail in one-to-one meetings with farmers, using plot-specific visual aids to describe the insurance triggers and payout scenarios. To ensure that farmers correctly understood the insurance product before being offered it, outreach officers verified that they could first answer basic questions about the product, e.g. the scenarios under which it would pay out, and would re-explain if not. Farmers then had one to two weeks to subscribe, with premiums collected either immediately or during revisits at the end of this period.

**Sample selection** Numerous farmer and plot criteria were used to select the sample, both to increase power and to improve the functioning of the insurance.\(^{14}\) For example, the experiment targeted plots in the early stages of the ratoon cycles (in particular the first and second ratoons), i.e. plots which had already harvested at least once. This choice was made because the yield prediction model performs better for ratoon than for plant cycles.

\(^{14}\)The criteria used to select the sample were: plot size - large plots were removed from the sample, to minimize the insurer’s financial exposure; plot yields - outliers were excluded, to improve the prediction of yield for the insurance contract; the number of plots in the field - fields with fewer than five plots were excluded, to improve power given the stratified design; the number of plots per farmer - the few farmers with multiple plots were only eligible for insurance for their smallest plot in the field; the number of farmers per plot - plots owned by multiple farmers were excluded; finally, while contracted farmers are usually subsistence farmers, some plots are owned by “telephone farmers” who live far away and manage their plots remotely - such plots are excluded from our sample.
Data collection  We combine two sources of data for the analysis: survey data and administrative data. Our survey data comes from a short baseline survey, carried out by our survey team (before farmers were offered insurance) during the outreach-worker visits described; 32 of 605 the farmers declined to be surveyed. As mentioned in section 2, the company keeps administrative data on all farmers in the scheme. It gives us previous yields, harvest dates, plot size, and growing cycle, and enables us to track whether the farmer sells cane to the company at the end of the cycle, and their yield conditional on doing so.

3.2 Balance

Table 1 provides descriptive statistics for the three treatment groups and balance tests. Since stratification occurred at the field level, we report p-values for the differences across the groups from regressions that include field fixed effects. Consistent with the specification we use for some of our analysis (and our registered plan) we also report p-values when bundling pay-upfront treatments U1 and U2 and comparing them to pay-at-harvest treatment H. The table shows that the randomization achieved balance across most observed covariates; only age is significantly different when comparing the bundled upfront group U to H. We confirm below that the experiment results are robust to the inclusion of baseline controls.

3.3 Experimental results

Our main outcome of interest is insurance take-up. Take-up rates have been consistently low across a wide range of geographical settings and insurance designs (Cole et al. 2013a, Elabed et al. 2013, Mobarak and Rosenzweig 2012). Yet gains from insurance could be large, both directly and indirectly - farmers are subject to substantial income risk from which they are unable to shield consumption, and previous studies suggest that when farmers are offered agricultural insurance they increase their investment levels (Karlan et al. 2014, Cole et al. 2013b). The central hypothesis tested in this paper is that low take-up is in part be due to the intertemporal transfer in insurance, which differentiates standard insurance products from their purely intratemporal ideal.

The regression model we use compares the binary indicator for insurance take-up – \( T_{if} \), defined for farmer \( i \) in field \( f \) – across the three treatment groups, controlling for field fixed effects:

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T_{if} = \alpha + \beta Discount_i + \gamma Harvest_i + \eta_f + \epsilon_{if} \tag{1}
\]

Figure 3 summarizes the take-up rates across the three treatment groups. For groups U2 and H, it also includes 95% confidence intervals for the difference in take-up with U1, obtained from a regression of take-up on treatment dummies.
The first result is that take-up of the full-price, upfront premium is low, at 5%. While low, this finding is consistent with numerous existing crop insurance studies mentioned above. It shows that, in this setting, reducing basis risk (the risk that insurance does not pay out when farmers have bad yields – one of the proposed explanations for low demand for rainfall insurance) by using an area yield double-trigger design is alone not enough to raise adoption.

The second result (the main result of the paper) is that delaying the premium payment until harvest, thus removing the transfer across time, has a large effect on take-up.\(^{15}\) Take-up of the pay-at-harvest, interlinked insurance contract (H) is 72%, a 67 percentage point increase from the baseline, pay-upfront (U1) level, and one of the highest take-up rates observed for actuarially fair crop insurance. The result shows that, in our setting, farmers do want risk reduction, they just do not want to pay for it upfront.

The third result, which allows us to benchmark the importance of the second, is that a 30% price cut in the upfront premium does not have a statistically significant effect on take-up rates. The point estimate of the effect is 1 percentage point; a 20% increase in take-up which implies an elasticity of 0.39 \((1/6)/(30/70)\). Estimates of this elasticity in other settings vary substantially (between 0.4 and 2), both across studies and at different points along the demand curve within studies. Our point estimate is at the lower end of this range, though our confidence interval spans it. One possible explanation for our low estimate is that insurance purchase was a binary choice in our study: farmers could only insure their entire plot, not a fraction of it (at an average cost of $18). In many other studies, including Karlan et al. 2014 and Cole et al. 2013a (where the estimated elasticities were 2 and 1 respectively), farmers could choose how many units of insurance to buy, in small increments, and those who took-up insurance typically bought just a single unit at low cost (e.g. $1 in Cole et al. 2013a). These small purchase decisions may well be more elastic than the larger purchase decision faced by farmers in our experiment.

Table 2 presents regression analysis of these treatment effects, and shows that they remain stable across a variety of specifications. Column (1) is the basic specification, which includes fixed effects at the field level, the stratification unit. As in Figure 3, the pay-at-harvest product (H) has 67 percentage points higher take-up than the “full-price” pay-upfront product (U1), significant at the 1% level, whereas the 30% price cut product (U2) has just 0.4 percentage point higher take-up, far from significant. The difference between the pay-at-harvest (H) and the reduced price pay-upfront (U2) products is also significant at the 1% level. Column (2) pools the upfront treatments

\(^{15}\)Ex-post, of course, only one state of the world is realized. Therefore, across multiple seasons, in a sense pay-at-harvest insurance does transfer income over time: on net farmers are paying in good seasons and getting paid in bad seasons. However, ex-ante, when a farmer is making their take-up decision, pay-at-harvest insurance concerns purely a transfer across states of the world.
U1 and U2, consistent with the specification we use later in the heterogeneity analysis. Columns (3) and (4) further add controls for plot and farmer characteristics, respectively, and column (5) includes both types of controls.

**Farmer understanding** One key question for the interpretation of the high take-up rate is whether farmers understood what they were signing up for. There are two reasons to believe they did. First, as mentioned above, farmers were asked questions to test their understanding of the product before it was offered to them. Second, several months after the recruitment, we called back 76 farmers who had signed up for the pay-at-harvest insurance, in two waves. In the first wave of 40 farmers, we began by reminding the farmers of the terms of the insurance product (the deductible premium and the double trigger design) and then checked that the terms were what the farmers had understood when originally visited. All farmers said they were. We then asked the farmers if they would sign up again for the product if offered next season. 32 (80%) said they would while 3 (7.5%) said they would not. The remaining 5 (12.5%) stated that their choice would depend on the outcome of the current cycle. In the second wave of 36 farmers, we did not prompt the farmers about the insurance terms, but instead asked farmers to explain them to us. 25 (69%) were able to do so. Of this second wave of farmers, after reminding those who had forgotten the terms, 28 (85%) said they would sign up for the product if offered next season.

To summarize, the results in this section show that pay-at-harvest insurance, enabled by interlinking product and insurance markets, has high take-up at actuarially fair price levels, while its standard, pay-upfront equivalent has low take-up (even with a substantial price cut), consistent with experience in other settings.

4 An intertemporal model of insurance demand

To understand the forces which could be driving the experimental results, and to motivate our subsequent attempts to identify them, we develop a model which captures both the cross-state and cross-time transfers in insurance. We introduce pay-upfront and pay-at-harvest insurance products into a standard dynamic consumption model and allow for three main channels which could affect their relative demand: liquidity constraints, time preferences, and imperfect enforcement.\textsuperscript{16} A full exposition of the model, with derivations and proofs (as well as a brief treatment of the supply-side implications) can be found in Appendix B.

\textsuperscript{16}An alternative approach is to use observed investment behavior (in particular the potential returns of risk-free investments which farmers make or forgo) as a sufficient statistic for the cost of the transfer across time. In Appendix C we report basic quantitative bounds for the effect of the transfer across time on insurance demand using this approach.
4.1 Buffer-stock savings model

The background model is a buffer-stock savings model, as in Deaton (1991), with the addition of naive present-biased preferences and cyclical income flows (representing agricultural seasonality).\footnote{Naive-$\beta\delta$ discounters believe that they will be exponential discounters in future periods (and so may have incorrect beliefs about future consumption). There is evidence for such naivete in other settings (DellaVigna and Malmendier 2006). In contrast, sophisticated-$\beta\delta$ discounters realize they will still be present-biased in the future. With the exception of Proposition 2 and Lemma B.2 (which may no longer hold, since concavity and uniqueness of the continuation value function is no longer guaranteed), the results below hold in the sophisticated case, but with $\beta$ replaced by a state-specific discount factor which is a function of the marginal propensity to consume.} In the model households receive income in each period, denoted $y_t$, and have access to a risk-free asset with constant rate of return $R$, but are subject to a borrowing constraint. Denoting cash-on-hand once income is received by $x_t$, the household faces the following maximization sequence problem in period $t$:

$$V_t(x_t) = \max_{(c_{t+i})_{i \geq 0}} u(c_t) + \beta E[\sum_{i=1}^{\infty} \delta^i u(c_{t+i})]$$  \hspace{1cm} (2)

subject to $\forall i \geq 0$:

$$x_{t+i+1} = R(x_{t+i} - c_{t+i}) + y_{t+i+1}$$

$$x_{t+i} - c_{t+i} \geq 0$$

The model gives the following iterated Euler equation, which is useful for considering the importance of the timing of premium payment:

$$u'(c_t) = \max\{\beta \delta R E[u'(c_{t+1})], u'(x_t)\}$$

$$= \beta (R \delta)^H E[u'(c_{t+H})] + \lambda^{t+H}_t$$ \hspace{1cm} (3)

where $\lambda^{t+H}_t(x_t)$ represents distortions in transfers from $t$ to $t+H$ arising from potential borrowing constraints (it is a discounted sum of the Lagrange multipliers on the constraints).

The model also implies that both the benefit of risk reduction and the cost of the intertemporal distortion arising from liquidity constraints are decreasing in wealth (i.e. $d^3 V_{t+H}/dx^3_t > 0$ and $d^2 \lambda^{t+H}_t/dx_t < 0$, see Lemma B.2), which we will rely on when deriving how the demand for insurance varies with wealth. Intuitively, the comparative statics follow from the poor being less able to self-insure: the existence of the borrowing constraint induces precautionary saving and hence a concave consumption function (Zeldes 1989; Carroll and Kimball 2005), so that among the poor, changes in wealth translate into larger changes in consumption.

4.2 Insurance with perfect enforcement

We start with the case where insurance contracts are perfectly enforceable. Farmers can buy one unit of insurance, which gives state-dependent payout $I$ at harvest, normalized so that $E[I] = 1$.\footnote{15}
The purchase decision is made at time 0, while premium payment is either upfront, at time 0, or at harvest, at time $H$. When paid at harvest the premium is $1 - \text{the expected payout (commonly referred to as the actuarially-fair price)}$ - whilst when paid upfront the premium is $R^{-H}$. Under this setup, the farmer’s decision to take-up insurance is, to first order:\(^\text{18}\)

Take up insurance iff \[
\begin{cases}
\beta H \mathbb{E}[u'(c_H)] \leq \beta H \mathbb{E}[Iu'(c_H)] & \text{(pay-at-harvest insurance)} \\
R^{-H}u'(c_0) \leq \beta H \mathbb{E}[Iu'(c_H)] & \text{(pay-upfront insurance)}
\end{cases}
\] (4)

This shows that, for pay-at-harvest insurance, it is variation in marginal utility of consumption across states which matters, whereas for pay-upfront insurance, variation across both states and time matters. To compare the two products we use the iterated Euler equation, Equation 3:

**Proposition 1.** If farmers face a positive probability of being liquidity constrained before harvest, they prefer pay-at-harvest insurance to pay-upfront insurance; otherwise they are indifferent. To first order, the difference is equivalent to a proportional price cut in the upfront premium of $\lambda H u'(c_0)$.

Intuitively, paying the premium upfront, rather than at harvest, is akin to holding a unit of illiquid assets. The cost of doing so is given by the (shadow) interest rate, which depends on whether liquidity constraints may bind before harvest - if they will not, then asset holdings can simply adjust to offset the difference. Liquidity constraints are therefore key, and intertemporal preferences (being defined over flows of utility rather than over flows of money) only matter through them. But liquidity constraints are also closely tied to wealth in the model (specifically, to deviations from permanent income, rather than permanent income itself). Combining Proposition 1 and Lemma B.2 gives the following, for a marginal unit of insurance:

**Proposition 2.** The net benefit of pay-at-harvest insurance is decreasing in wealth. So too is the cost of paying upfront, rather than at harvest. Among farmers sure to be liquidity constrained before harvest, the latter dominates, so the net benefit of pay-upfront insurance is increasing in wealth.\(^\text{19}\)

Thus, while the benefit of risk reduction (pay-at-harvest insurance) is higher among the poor, they may buy less (pay-upfront) insurance than the rich, because the inherent intertemporal transfer is more costly for them. Liquidity constraints drive both results: the poor are more likely to face

\(^{18}\)We use first order approximations at several points. They are reasonable in our setting for a number of reasons: the premium is small (3% of average revenues) and the insurance provides low coverage (a maximum payout of 20% of expected revenue); we care about differential take-up by premium timing, so second order effects which affect upfront and at-harvest insurance equally do not matter; both the double trigger insurance design, and the provision of inputs by the company, meant insurance was unlikely to affect input provision, in line with results in section 5.4.

\(^{19}\)The general point that the gap between pay-upfront and pay-at-harvest insurance is decreasing in wealth follows from the shadow interest rate being decreasing in wealth. In our model that comes from a borrowing constraint (and wealth is the deviation from permanent income), but it could be motivated in other ways such as collateral requirements, and models sometimes take it as an assumption.
liquidity constraints after harvest, meaning that they are less able to self-insure risks to harvest income, but they are also more likely to face liquidity constraints before harvest, making illiquid investments more costly.

4.2.1 Delaying premium payment by one month

Consider the same insurance product as above, but with the premium payment delayed by just one period (corresponding to our experiment in Section 5.3, where the delay is one month).

**Proposition 3.** The benefit of delaying premium payment by one period is, to first order, equivalent to a proportional price cut in the upfront premium of $\frac{\lambda_1}{u'(c_0)}$.

Thus the one period delay only increases demand if the farmer is liquidity constrained. Moreover, comparing Propositions 1 and 3 shows that a one month delay will have a small effect relative to a delay until harvest (when $H$ is large), unless either liquidity constraints are particularly strong at time 0, or there is present bias. Present bias closes the gap in two ways: first, future liquidity constraints are discounted by $\beta$ in the discounted sum of Lagrange multipliers, $\lambda^H_0$, and second, the individual naively believes that he will be less likely to be liquidity constrained in the future. Equivalently, the one month delay allows the farmer to commit at time 0 to a purchase at time 1, and hence to overcome their present bias.

4.3 Insurance with imperfect enforcement

If either side breaks the contract before harvest time, then the farmer does not pay the at-harvest premium, while he would have already paid the upfront premium. Accordingly, imperfect enforcement has implications for both the demand and supply of pay-at-harvest insurance.

We assume that both sides may default on the insurance contract. At the beginning of the harvest period, with probability $p$ (unrelated to yield) the insurer defaults on the contract, without reimbursing any upfront premiums. The farmer then learns his yield and, if the insurer has not defaulted, can himself default on any at-harvest premium, subject to some utility cost $d$ and the loss of any insurance payouts due.\(^{20}\) Denoting whether the farmer chooses to pay the at-harvest premium by the (state-dependent) indicator function $D_P$, then to first order:

$$D_P := I[Iu'(c_H) + d \geq u'(c_H)]$$  \hspace{1cm} (5)

\(^{20}\)In practice the farmer may face considerable uncertainty about both yields and insurance payouts when deciding to default, which shrinks the difference between pay-upfront and pay-at-harvest. In our setting, for example, the company harvests the crop, at which point its weight is unknown to the farmer, and the area yield trigger further increases uncertainty.
Ex-ante, anticipation of potential default drives an additional difference between upfront and at-harvest insurance:

\[
\text{Difference in net benefit of at-harvest & upfront} = R^{-H} \lambda_0^H + \beta \delta^H p E[u'(c_H)] + \beta \delta^H (1-p) E[(1-D_P)(u'(c_H) - d - Iu'(c_H))]
\]

The size of the difference caused by imperfect enforcement is clearly decreasing in the cost of default, \(d\). If the cost of default is high enough, \(d > \max_s u'(c_H(s))\), the farmer never defaults.

### 4.3.1 Interlinked insurance

Interlinking the insurance contract with the sales contract affects contractual risk: default on one contract entails default on the other. In the above framework, we can define the (now endogenous) cost to the farmer of defaulting on insurance, \(d\), to be the cost of defaulting on the sales contract by selling to another buyer (side-selling), i.e. the value of the production relationship relative to their outside option. This will typically be positive, in which case interlinking helps to enforce the pay-at-harvest premium (this is why credit is often interlinked). However, if the farmer wishes to side-sell for some other reason, then \(d\) will be negative, in which case interlinking encourages default on the premium.

Importantly, strategic side-selling by the farmer to avoid the pay-at-harvest premium is unlikely, since the premium is only marginal if \(d\) is close to zero (thus any expected farmer default can be priced into the premium). While unlikely, if pay-at-harvest insurance does affect side-selling, then the following (simple) proposition tells us how. Intuitively, for those with low yields, insurance payouts decrease the incentive to side-sell, whereas for those with high yields, pay-at-harvest premiums increase the incentive to side-sell.

**Proposition 4.** If pay-at-harvest insurance affects side-selling, it makes those anticipating high yields more likely to side-sell, and those anticipating low yields less likely to side-sell.

Strategic or not, ex-ante expectations of default drive a wedge between pay-upfront and pay-at-harvest insurance. The following proposition allows us to bound the effect, in Section 5.4, and shows how expectations of non-selective default (i.e. company default, or farmer default which is independent of yield) work by reducing demand for pay-upfront insurance, rather than increasing demand for pay-at-harvest insurance - intuitively, the net benefit of pay-at-harvest insurance is zero in such cases.
**Proposition 5.** The possibility of default in the interlinked contract drives a wedge between pay-at-harvest and pay-upfront insurance, bound above by a price cut in the upfront premium of:

\[
P(side-sell with pay-at-harvest) \frac{\mathbb{E}[u'(c_H)|side-sell with pay-at-harvest]}{\mathbb{E}[u'(c_H)]}
\]

Further, in so far as default is non-selective (i.e. independent of yield), it does not affect demand for pay-at-harvest insurance, to first order.

4.4 Implications and extensions

The transfer across time in insurance has several implications beyond the focus of this paper. For instance, it changes the relationship between insurance and self-insurance, and hence how background risk affects insurance demand: more risk before harvest may reduce demand for pay-upfront insurance, since insurance ties up liquidity which is needed for self-insurance; while more risk at or after harvest may increase demand for insurance, by motivating (precautionary) saving and hence reducing the cost of the transfer across time. When background risk is high, this tension between insurance and self-insurance could explain why insurance demand is often decreasing with risk aversion (Clarke 2016). Relatedly, the transfer across time also changes the relationship between insurance and credit: for risk reduction purposes, they may be complements, not substitutes.

5 Why does the timing of the premium payment matter?

In this section, we present evidence on the channels behind our main results, focusing on the same three as in the model: liquidity constraints, intertemporal preferences, and imperfect contract enforcement. The evidence comes from two small mechanism experiments, as well as additional results from the main experiment described in Section 3.21 We focus on liquidity constraints and present bias because both have been widely documented among similar populations (Loewenstein et al. 2003; Cohen and Dupas 2010; Schilbach 2015, and Duflo et al. 2011, who estimate that 86% of their sample are present biased at least some of the time). Additionally, present bias has implications for the interpretation of our results, both because future selves may regret the decision to forgo pay-upfront insurance, and because it introduces a role for commitment (Casaburi and Macchiavello 2018). We focus on imperfect contract enforcement - especially in light of the

21We also note that, since demand for pay-at-harvest insurance is high, our results cannot be explained by many of the mechanisms shown to constrain insurance demand in other settings. This includes basis risk (Clarke 2016; Mobarak and Rosenzweig 2012; Elabed et al. 2013), the presence of informal insurance (Mobarak and Rosenzweig 2012), lack of information and understanding about insurance (Cai et al. 2015, Handel and Kolstad 2015), and unfavorable claims ratios (Cole et al. 2013a).
temporary closure of the factory – since, to the extent that it is anticipated, it mechanically drives a difference between pay-upfront and pay-at-harvest insurance. In Appendix D we discuss several additional potential (behavioral) channels, which warrant future work.

5.1 Is upfront payment more costly for the poor & the liquidity constrained?

Income variation is more costly for the poor, so they should have higher demand for risk reduction. So goes the common argument. Yet the poor typically show lower demand for insurance. Proposition 2 showed that the transfer across time in insurance is a possible explanation – the poor are more likely to be liquidity constrained, and liquidity constraints increase the cost of paying the premium upfront. If so, in our experiment we would expect the gap between pay-upfront and pay-at-harvest insurance to be higher among the poor.

Here we report how demand for pay-upfront and pay-at-harvest insurance varies by proxies for wealth and liquidity constraints, and thus the heterogeneous treatment effect of removing the transfer across time. The proxies include yield levels in the previous harvest, sugarcane plot size, number of acres cultivated, whether the household owns a cow, access to savings and the portion of income from sugarcane. In order to gain power, we bundle together the two pay-upfront groups (full price and 30% discount), as stated when registering the trial, giving the regression model:

\[
T_{if} = \alpha + \beta Harv_{i} + \gamma x_{i} + \delta Harv_{i} \times x_{i} + \nu_{f} + \epsilon_{if}
\]

Table 3 presents the results, which show that the treatment effect does indeed vary by proxies for wealth and liquidity constraints. While not all the interaction coefficient estimates are significant, delaying premium payments until harvest increases take-up more among less wealthy and more liquidity constrained households, as predicted by proposition 2. For example, the treatment effect is 14 percentage points larger for those who do not own a cow and 17 percentage points larger for those who would not have savings to cover an emergency expenditure of Sh 1,000 ($10). Further, also in line with proposition 2, the difference comes from demand for pay-at-harvest insurance being higher among the poor.\(^{22}\) Of course, these are heterogeneous treatment effects and so cannot be interpreted causally, as there could be confounders. Moreover, the different proxies are obviously not independent, although pairwise correlations are all less than 0.27 (except for the two access to emergency savings variables).

From a policy perspective, the results imply that pay-at-harvest insurance is particularly beneficial for poorer farmers, who are typically in greater need of novel risk management options.

\(^{22}\)There is less margin for take-up heterogeneity in Pay-Upfront insurance, given its low average take-up, but the two predictions of the model hold: both take-up of Pay-At-Harvest and the gap between Pay-At-Harvest and Pay-Upfront are larger among the poor. Further, existing studies on Pay-Upfront insurance typically find lower take-up among the poor and the liquidity constrained (Cole et al. 2013a).
5.2 Do people buy pay-upfront insurance, given enough cash to do so?

In line with the importance of liquidity constraints, when we surveyed farmers in the pay-upfront group about why they did not purchase insurance, their most common answer was not having the cash. In this section we present a second experiment, which investigates this very basic notion of liquidity constraints by asking: if we gave farmers the cash, would they use it to buy pay-upfront insurance?

In the experiment, half of the 120 targeted farmers were allocated to a cash drop treatment. Under this treatment, during the baseline survey, enumerators gave farmers a cash gift, which was slightly more than the price of the insurance premium (farmers were offered the insurance product around an hour later). The treatment, which mimics closely one of the arms in Cole et al. (2013a), ensured that farmers did have enough cash to pay the upfront premium if they wished to. It therefore tests whether pay-upfront insurance was the marginal expenditure, or whether farmers had preferred uses for the money, such as consumption or higher return investments.\(^{23}\) We also cross cut this cash-drop treatment with a premium-timing treatment: half the farmers were offered pay-upfront insurance and half pay-at-harvest insurance. Stratification occurred at the field level and Appendix Table A.2 shows that the treatment groups were balanced.

Figure 4 presents the results. The main finding is that the cash drop did raise take-up of pay-upfront insurance somewhat (from 13% to 33%), but that the impact of the cash drop was much smaller than that of switching to a harvest-time premium (which raised take-up to 76%). Thus, while basic cash constraints may account for a part of our main results, other channels mattered substantially more, consistent with the cash drop being small relative to the plausible cross-period variation in wealth which motivates the model.

The cash gift may also have increased demand through a reciprocity effect, whereby farmers bought insurance just to reciprocate the gift (a standard concern with cash drop designs). The cross-cutting design helps us shed light on this. In the pay-at-harvest group, the cash drop should not have increased demand through a liquidity channel (if anything a small wealth effect should have decreased demand), yet it did lead to higher take-up (from 76% to 88%), suggesting reciprocity did play a role. Taking the difference-in-differences between the pay-upfront and pay-at-harvest groups - goes some way to controlling for reciprocity. This difference-in-difference estimate, for the effect of the cash drop on the demand for pay-upfront insurance, is 8%. While imprecisely

\(^{23}\)We note that this also addresses another potential channel in the main experiment: that farmers feel somehow pressured to buy insurance (for instance through social desirability bias), and not having the cash is a convenient excuse not to buy insurance when farmers have to pay upfront, which is no longer credible when they can pay at harvest. Giving farmers the cash addresses this potential concern.
estimated, we take this as further evidence that basic cash constraints had little effect on take-up of pay-upfront insurance, especially relative to delaying premium payment until harvest time.

Table 4 confirms these results. Column (1) presents the basic level impact of the cash drop and pay-at-harvest treatments, from a regression with fixed effects at the field level, the stratification unit. We add additional controls in column (2). In both specifications, we reject the null of equality of the two treatments at the 1% level (p-value .00004). The coefficient on Cash is significant at the 10% level in column (1) and remains similar in size but loses some precision as we add more controls. In columns (3) and (4), we look at the interaction between the two treatments. The coefficient on the interaction is always negative, as we would expect, but it is small and insignificant. It is imprecisely estimated, but even at the upper bound of the (very wide) confidence interval the interaction can only account for around half of the difference between pay-upfront and pay-at-harvest insurance.

5.3 Does take-up increase if farmers can commit today to buy insurance in the near-future?

The third experiment tests whether take-up increases if farmers can commit upfront to buying insurance using a windfall paid in the near future, i.e. in one month (versus buying insurance upfront using a windfall paid upfront). Similar small differences in timing have been shown to increase savings in other settings, such as Save More Tomorrow programs (Thaler and Benartzi 2004).

We randomly allocated a sample of 120 farmers to two treatment groups (with stratification again at the field level). Both groups were offered a choice between either a cash payment, equal to the insurance premium, or free enrollment in the insurance. The difference between groups was when farmers would receive whatever they chose: in the first treatment group, Receive Choice Now, farmers were told that they would receive it immediately; while in the second group, Receive Choice in One Month, farmers were told that they would receive it (plus interest) in one month’s time. Appendix Table A.3 reports the balance test across the two groups. We note that, due to the small sample size, there are significant imbalances across the two groups in the share of men, the acres of land cultivated and plot size, and emergency savings for Sh5,000; pairwise correlations of these variables are all positive (except one). As discussed below, results are robust to the inclusion of these variables as controls.

Three aspects of the design allowed us to isolate the role of intertemporal preferences. First, offering the choice between insurance for free or cash, rather than the option to buy insurance, allowed farmers to pre-commit their future income. In particular, it ensured that the choice in
the *Receive Choice in One Month* group could be enforced, since premium payments did not rely on the farmer paying out of her own pocket. Second, it relaxed any hard cash constraints (as in the cash drop experiment) ensuring the farmer could take-up the insurance if she wanted to. Third, delaying both the cash gift and the insurance sign-up in the *Receive Choice in One Month* treatment mitigated the traditional trust concerns associated with standard time preference experiments (Andreoni and Sprenger 2012). In particular, it meant that receipt of either choice depended on the field officer revisiting the field, removing differential trust concerns.²⁴

Figure 5 shows that take-up in the *Receive Choice in One Month* group was 72%, compared to a baseline of 51% in the *Receive Choice Now* group. This 21 percentage point increase shows that a change of only one month in the timing of the premium payment had a large impact on insurance take-up.²⁵ Table 5 confirms these results across different specifications. The gap between the two treatments begins statistically significant at 5% and becomes statistically significant at 1% when adding farmer controls. We note that the point estimate raises from 0.23 in the baseline specification with field fixed effects (Column 1) to 0.29 when adding both set of controls, though the difference in the two estimates is not statistically significant. This suggests that, if anything, accounting for the baseline imbalances reported above increases the estimate of the impact of requiring farmers to sign up in advance.

The large effect is hard to explain with exponential discounting, but it is consistent with present bias. The argument is as follows. If farmers are exponential discounters, then for a one-month delay to have a large effect on the net benefit of insurance, they would have to have very low δ (especially as a 30% price cut in the main experiment had little effect). However, the same low δ would mean that farmers would not buy insurance even with a one-month delay – such a product still transfers income over more than one year (as the harvest cycle is 16-18 months). In contrast, under present bias, a low β leads to a large difference between paying now and in one month, without making insurance paid for in one month unattractive.²⁶ This relies on the *Receive Choice*

²⁴It is still possible, though implausible, that farmers thought field officers were more likely to return if they choose insurance. However, visits are organized at the field level, not the individual level, so officers meet multiple households in a given visit, and more importantly, farmers have the contact info of the relevant company field staff and IPA staff.

²⁵We note that the baseline take-up for the *Receive Choice Now* group is larger than the take-up in the group *Pay Upfront + Cash* in the cash-constraints experiment. The two groups are drawn from different samples and so are not directly comparable. However, the difference is larger than we might have expected, and ultimately we do not know why. One hypothesis is that the cash-constraints experiment occurred in late Summer 2014, while this experiment was implemented in Spring 2015, shortly after the end of the dry season (December-March), when the risk of low harvest may have been more salient. Another hypothesis relates to a literature dating back to Knetsch and Sinden (1984) - *Receive Choice Now* may have captured the Willingness to Accept, while *Pay Upfront + Cash* may have captured the Willingness to Pay, including an endowment effect from handing farmers the cash at the start of the visit.

²⁶We could not test time inconsistency by allowing farmers to revise their commitment one month later because any new information received during the month (for instance on expected yield) would have potentially changed
treatment providing farmers with a commitment device on how to use their cash windfall, and hence allowing them to overcome any time inconsistency.\footnote{A competing explanation could have been that credit constraints vary across time periods (Dean and Sautmann 2014), and the experiment just happened to take place at a time of large and very short-run liquidity constraints (for example due to an aggregate shock). However, we ran the experiment across two months (plus a one-month pilot beforehand) and the results, presented below, are stable across these periods.} Importantly, the large effect also shows that farmers were liquidity constrained at the time of the experiment. If farmers could freely borrow money at the prevailing interest rate, then their time preferences would be irrelevant and take-up should not have differed between the two treatment groups.

While present bias can lead to under subscription in pay-upfront insurance, might it lead to over subscription and hence future regret in pay-at-harvest insurance? While this is a real possibility with the sale of goods on credit, where benefits are borne immediately, in the case of insurance there is no clear immediate benefit to subscription. On the contrary, pay-at-harvest insurance eliminates the time gap between cost and benefit that standard insurance products introduce. In line with this argument, as discussed above, in follow-up calls with 40 farmers who took-up the pay-at-harvest insurance, only 7.5\% of farmers said they would not take-up the product again.

Before moving to the next channel, we note that in the main experiment we elicited measures of preferences over the timing of cash flows, using standard (Becker-DeGroot) Money Earlier or Later questions (Cohen et al. 2016). We did not find heterogeneous treatment effects by these Required Rate of Return variables, as shown in table A.1. It is not uncommon to find no such effects, which could be due to measurement issues, limited statistical power, or the fact that standard lab-experiment measures in a given domain (e.g. the timing of cash disbursements) may fail to hold predictive power on other domains, such as how to use that cash.\footnote{For instance, Kaur et al. (2015) find no correlation between lab experiment measures of time inconsistency and workers’ choices on effort and labor contracts. A recent experimental literature considers what such questions elicit, and suggests limitations with using them to measure intertemporal preferences (Andreoni and Sprenger 2012, Augenblick et al. 2015, Cohen et al. 2016).}

5.4 Imperfect enforcement

Anticipation that either party may default before harvest drives a wedge between take-up of pay-upfront and pay-at-harvest insurance, as shown in Section 4.3.1. Here we consider the importance of this channel. While we find some evidence that counterparty risk mattered for overall levels of take-up, we find no evidence for a differential effect by the timing of the premium payment, in spite of significant side-selling ex-post.

As discussed in the Introduction, before the farmers in our study were due to harvest, financial problems of the company led to the closure of the factory for several months. During the closure farmers’ decisions even under time-consistent discounting.
the company did not harvest cane, and the resulting backlog caused severe harvesting delays afterwards, leading to uncertainty among farmers as to when harvesting would happen (if at all). As a result, only 48% of our farmers harvested with the company. Those that did not either side-sold or uprooted the crop (for brevity, below we refer to both cases as side-selling). Those who harvested with the company received any insurance payouts due, while those who side-sold were ineligible. Figure 6 plots the harvesting rate by sublocation, and for comparison also plots a loose lower bound for it historically. The figure shows that the harvesting rate was much lower than historically (and that it varied substantially by sublocation). Moreover, we see no evidence of similar firm crashes historically in the limited harvesting data that we have (a small subsample of plots, spanning substantial parts of the last 20 years), in line with our understanding from discussions with company management.

The widespread default ex-post underlines the trust required by standard pay-upfront insurance, and raises two important questions: (i) did pay-at-harvest insurance induce side-selling? and (ii) were expectations of default responsible for the difference in take-up, ex-ante?

5.4.1 Did insurance affect side-selling?

We can rule out any sizeable effect of insurance on side-selling, in line with the partially index-based design of the insurance product (and the results of our model). Given the low take-up of pay-upfront insurance, Figure 7 Panel A effectively reports the Intent-To-Treat of offering pay-at-harvest insurance on harvesting with the company. It shows that there was no level-effect on side-selling, in spite of high take-up. However, insurance could still have affected who side-sold. If so, Proposition 4 showed that, were side-selling strategic, pay-at-harvest insurance would make those with low yields less likely to side-sell and those with high yields more likely to. Hence yield conditional on harvesting with the company would be higher among the Pay-Upfront group. Figure 7 Panel B shows there was no difference across groups, suggesting that the decision to side-sell was not strategic. While we do not observe yields among farmers who side-sold, and hence ultimately cannot say whether side-selling was selective, the lack of a strategic response to insurance, as well as anecdotal evidence that side-selling was largely driven by whether illegal harvesters happened to come to the farmer’s location, both provide suggestive evidence that side-selling was unrelated to yields.

The null result for the Intent-To-Treat effect of pay-at-harvest insurance on yields also shows

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29 The historical measure of the harvesting rate is a lower bound on the true harvesting rate because of the data we had to construct it. It is constructed as the proportion of farmers who previously harvested a Plant or Ratoon 1 cycle who appear in the data as harvesting the subsequent cycle. However, some of these farmers would have uprooted the crop after harvesting, and thus never begun the subsequent cycle.
that insurance did not induce moral hazard. If present, moral hazard would also have led to lower yields in the pay-at-harvest treatment group (the same direction as any effect of selective side-selling, so we can rule out the two effects cancelling each other out). The lack of moral hazard is in line with many of the inputs being provided by the company, as well as the partially index-based design of the insurance product.

5.4.2 Did anticipation of default affect take-up differentially?

Given the extent of side-selling ex-post, it is particularly important to consider the role of ex-ante expectations of contract risk in driving the difference in take-up between pay-upfront and pay-at-harvest insurance. Here we present three sets of evidence which suggest that the role was limited. Before doing so, we note that we have already shown that other channels matter, in our two mechanism experiments and heterogeneous treatment effects. For instance, in the Receive Choice in One Month treatment of the second mechanism experiment, take-up reached 72%, even though farmers still lose the premium if the company defaults.

Our first evidence that the role played by the anticipation of default was limited is based on the intuition that expectations of default are like a price cut in the pay-at-harvest premium relative to the pay-upfront premium. Proposition 5 develops this idea and allows us to bound the differential effect of expectations of default on take-up by the effect of a price cut in the upfront premium - specifically, by a proportional price cut equal to the expected probability of side-selling, weighted by the relative marginal utility of consumption when side-selling. Yet, in our main experiment, a 30% price cut had almost no effect on take-up of upfront insurance, ruling out a high price elasticity. Thus, for imperfect enforcement to account for much of our main result, ex-ante expectations of either the probability of default, or of the marginal utility of consumption conditional on default, would have had to be extremely high, calling in to question why farmers entered the production contract with the company to begin with.

Our second piece of evidence is that anticipation of non-selective default cannot explain the high demand for pay-at-harvest insurance. As shown in the model, while anticipation of non-selective default would have decreased demand for pay-upfront insurance, it would have had no first-order effect on the demand for pay-at-harvest insurance - intuitively, pay-at-harvest insurance has neither cost nor benefit under default.\(^{30}\) As discussed above, our evidence suggests that default was indeed non-selective, in which case the high take-up of pay-at-harvest insurance – much higher than take-up for pay-upfront crop insurance in other settings (as well as in ours) – would still have been observed even absent risk of buyer default.

\(^{30}\)If anything, default could reduce demand slightly through increased precautionary savings, a second order effect.
Our final evidence for a limited role of contract risk considers heterogeneous treatment effects of delaying the premium, by plausible proxies for ex-ante priors of default. If anticipation of default did drive a difference in take-up between pay-upfront and pay-at-harvest insurance (and there was heterogeneity in prior probabilities of default) then a take-up regression may show an interaction between proxies for priors and pay-at-harvest time premiums (similar to positive correlation tests for adverse selection in the insurance literature, Einav and Finkelstein 2011). We consider two such proxies for prior probabilities of default. First, in the baseline survey, we asked respondents about their trust in, and relationship with, the company. Table 6 Columns (1)-(3) shows that while some of these measures do predict overall levels of take-up, they do not predict take-up differentially by premium timing (consistent with a belief that the company would not make insurance payouts even if the production contract is upheld, and also with some farmers mentioning trust as a reason why they did not buy insurance). Second, we consider harvesting rates in the previous season in the local area (Figure 6 shows it had substantial geographical variation). Table 6, Columns (4) and (5) show that we also do not find heterogeneous treatment effects by historical rates of contract default at the field or sublocation level, respectively.

6 Policy implications

Most insurance products transfer income across time. We have shown, in our setting, that this transfer across time reduces demand for crop insurance and that it does so through several mechanisms. Further, these same mechanism are known to shape financial decisions across a diverse range of other settings, suggesting that our results may have broad policy implications. In this final section of the paper we turn to these policy implication - first for crop insurance, and then for insurance more generally.

6.1 Crop insurance

From a policy perspective, boosting the take-up of crop insurance is an ongoing challenge. This paper shows that demand is very sensitive to the timing of the premium payment and suggests that pay-at-harvest insurance may be a promising solution, if premium payment can be enforced. For our experiment, we used a collection method which relied on our contract farming setting - tying the insurance contract to a sales contract. Yet the (unrelated) financial problems at the company still led to widespread default. More importantly, even if our mechanism can work in contract farming settings (whose presence is growing steadily in developing countries, UNCTAD 2009), the wider applicability of the idea depends on the answer to the following two questions.
First, are there other ways to enforce pay-at-harvest premium payments? US Federal Crop Insurance (FCI) is one example – historically it is a pay-at-harvest insurance - but it operates with strong legal institutions and government backing. More generally, credit provides a promising comparison, since it faces a stricter enforcement constraint than cross-state insurance (in the latter, net payment is only due in good states of the world), yet often achieves very low default rates. Perhaps methods used for credit, and in particular microfinance, such as relational contracting, group liability, and collateral, could be adopted for cross-state insurance?31

Second, do premiums actually need to be paid at the subsequent harvest, or are there other timings which would still boost take-up while being easier to enforce? Our One Month Experiment showed that even a slight delay can increase take-up substantially. But seasonality may be important too – as in Duflo et al. (2011), farmers may be less liquidity constrained at the previous harvest time than at planting (and potentially also less affected by scarcity Mani et al. 2013) - although in our experiment we met farmers just a few weeks after harvesting, suggesting any such effects would have been very short lived. Relatedly, while we have considered the timing of insurance premiums, the timing of payouts may also matter. Times are likely to be hardest for farmers in the hungry season following a bad harvest; farmers may prefer insurance payouts then.

6.2 Other insurance products

The transfer across time is a feature of many insurance products; it is most likely to affect insurance demand when the shadow interest rate is high or when the time period involved is long. This has several policy implications. First, insurance contracts should be designed and marketed with insurees’ paths of liquidity in mind. For example, households could be offered to purchase insurance directly from cash transfers or EITC payments (potentially with pre-commitment). Second, the transfer across time may help to explain low take-up of rare-disaster insurance and front-loaded dynamic insurance contracts such as life insurance (Pauly et al. 1995; Finkelstein et al. 2005; Handel et al. 2015), for which the intertemporal transfer is particularly long. Finally, the desire to remove the transfer across time (as is done, for example, in social insurance and in the FCI) may provide another justification for government intervention in insurance markets, if they are better able than private providers to enforce premium payments ex post.

31An alternative approach would be to offer a loan and pay-upfront insurance at the same time, but unbundled. However, under present bias, doing so may have negative welfare implications. Further, enforcing repayment of the loan would be harder, and limited liability could reduce the incentive to buy insurance through the standard asset substitution problem (Jensen and Meckling 1976).
7 Conclusion

By requiring that the premium be paid upfront, standard insurance contracts introduce a fundamental difference between the goal of insurance and what insurance products do in practice: they not only transfer income across states, they also transfer income across time. We have argued that this difference is at the heart of several explanations offered for the low take-up of insurance, such as liquidity constraints, present bias, and trust in the insurer. In addition, once the temporal dimension of insurance contracts is taken into account, we have shown that a standard borrowing constraint can resolve the puzzlingly low demand for insurance among the poor – while the poor have greater demand for risk reduction, they face a higher cost of paying the premium upfront.

In the context of crop insurance, where seasonality makes the transfer across time particularly costly, the difference can be removed by charging the premium at harvest time rather than upfront. Doing so in our experiment, by charging the premium as a deduction from harvest revenues in a contract farming setting, increased take-up by 67 percentage points, with the effect largest among the poorest. We discussed numerous possible channels for this large effect and presented several pieces of evidence which show that two of the three most natural ones play a role. Namely, heterogeneous treatment effects suggest that liquidity constraints mattered, and a second experiment shows that they ran deeper than simply not having the cash to pay the premium. A third experiment found that even a small delay in premium payment increased demand substantially, showing the role of present bias, and providing further evidence for liquidity constraints. Last, while contractual risk may have driven a difference between take-up of pay-upfront and pay-at-harvest insurance, in our setting we find no evidence that it did, across multiple tests, in spite of a financial shock which led to high levels of default ex-post.

From a policy perspective, our results have potentially broad implications. For crop insurance, where boosting demand has proven difficult, we showed that timing matters and proposed pay-at-harvest insurance as a potential solution if it can be enforced, which remains an important question. More broadly, the transfer across time is present in most insurance products. The effect on the demand for other types of insurance, and on risk management more generally, are interesting questions for future work.
References


Dean, Mark, and Anja Sautmann. 2014. “Credit constraints and the measurement of time preferences.” *Available at SSRN 2423951*.


Notes: In the textbook model, insurance offers risk reduction: income is transferred across states of the world, from good states to bad. In practice, however, standard insurance products also feature a transfer of income across time: the premium is paid upfront with certainty, and any payouts are made in the future, if a bad state occurs.
Figure 2: Experimental Design

(a) Design of the Main Experiment

N=605

Insurance premium: upfront upfront with 30% discount at harvest

Notes: The experimental design randomized 605 farmers (approximately) equally across three treatment groups. All farmers were offered an insurance product; the only thing varied across treatment groups was the premium. In the first group (U1), farmers were required to pay the ("actuarially-fair") premium upfront, as is standard in insurance contracts. In the second group (U2), premium payment was again required upfront, but farmers received a 30% discount relative to (U1). In the third group (H), the full-priced premium would be deducted from farmers' revenues at (future) harvest time, including interest charged at the same rate used for the inputs the company supplies on credit (1% per month). Randomization across these treatment groups occurred at the farmer level and was stratified by Field, an administrative unit of neighboring farmers.

(b) Design of the Cash Drop Experiment

N=120

Insurance premium: upfront at harvest

Cash drop: no yes no yes

Notes: The experimental design randomized 120 farmers (approximately) equally across four treatment groups. The design cross-cut two treatments: pay-upfront vs. pay-at-harvest insurance, as in the main experiment, and a cash drop. At the beginning of individual meetings with farmers, those selected to receive cash were given an amount which was slightly larger than the insurance premium, and then at the end of the meetings farmers were offered the insurance product. Randomization across these treatment groups occurred at the farmer level and was stratified by Field.

(c) Design of the Intertemporal Preferences Experiment

N=120

Receive cash or insurance: now in one month

Notes: The experimental design randomized 120 farmers (approximately) equally across two treatment groups. Farmers in both groups were offered a choice between either a cash payment, equal to the “full-priced” insurance premium, or free enrollment in the insurance. Both groups had to make the choice during the meeting, but there was a difference in when it would be delivered. In the first treatment group, the Receive Choice Now group, farmers were told that they would receive their choice immediately. In the second group, the Receive Choice in One Month group, farmers were told that they would receive their choice in one month’s time (the cash payment offered to farmers in this case included an additional month’s interest). Randomization across these treatment groups occurred at the farmer level and was stratified by Field.
Notes: The figure shows insurance take-up rates across the three treatment groups in the main experiment. In the Pay Upfront group, farmers had to pay the full-price premium when signing up to the insurance. In the Pay Upfront + 30% Discount group, farmers also had to pay the premium at sign-up, but received a 30% price reduction. In the Pay At Harvest group, if farmers signed up to the insurance, then the premium (including accrued interest at 1% per month) would be deducted from their revenues at (future) harvest time. The bars report 95% confidence intervals from a regression of take-up on dummies for the treatment groups.
Figure 4: Cash Drop Experiment: Insurance Take-Up by Treatment Group

Notes: The figure shows insurance take-up rates across the four treatment groups in the Cash Drop experiment. In the Pay Upfront group, farmers had to pay the premium when signing up for the insurance. In the Pay Upfront + Cash group, farmers were given a cash drop slightly larger than the cost of the premium, and had to pay the premium at sign-up. In the Pay At Harvest group, if farmers signed up for the insurance then the premium (including accrued interest at 1% per month) would be deducted from their revenues at (future) harvest time. In the Pay At Harvest + Cash group, farmers were given a cash drop equal to the cost of the premium and premium payment was again through deduction from harvest revenues. The bars report 95% confidence intervals from a regression of take-up on dummies for the treatment groups.
Figure 5: Intertemporal Preferences Experiment: Insurance Take-Up by Treatment Group

Notes: The figure shows insurance take-up rates across the two treatment groups in the Intertemporal Preferences experiment. In the Receive Now group, farmers chose between an amount of money equal to the premium and free subscription to the insurance, knowing that they would receive their choice straight away. In the Receive in One Month group, farmers made the same choice, but knowing that they would receive whatever they chose one month later. The bars report 95% confidence intervals from a regression of take-up on dummies for the treatment groups.
Figure 6: Main Experiment: Histogram of Harvesting With Company, by Sublocation

**Notes:** The histogram shows the proportion of farmers who harvested with the company in the sublocations in which we undertook the main experiment. The data is by sublocation and we plot separate histograms for the main experiment (which is just for the farmers in our sample, who were due to harvest approximately twelve months after our experiment) and for the three year period prior to the experiment, from 2011 to 2014 (which is for all farmers in the sublocations). The historical measure is a lower bound on the harvest rate, since it is calculated as the proportion who harvested in the previous cycle who do not harvest this cycle, some of whom will not have grown cane this cycle. We note two things from the histograms. First, harvesting with the company is much lower during the experiment than historically, in line with the financial troubles at the company. Second, there is a large amount of geographic variation in the harvesting rate among farmers in our sample.
Figure 7: Main Experiment: Harvesting with the Company

Panel A: Share of Harvested Plots

Panel B: Average Tons of Cane per Harvested Plot

Notes: The figure shows harvesting outcomes in the main experiment, by treatment group. Panel A reports the proportion of farmers from the main experiment who subsequently harvested with the company, as agreed under the contract. Panel B reports harvest weight (in tons), conditional on harvesting with the company. The bars report 95% confidence intervals from a regression of harvesting rates on dummies for the treatment groups.
### Table 1: Main Experiment: Balance Table, Baseline Variables

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**Notes:** The table presents the baseline balance for the Main Experiment. *Plot Size* and *Previous Yield* are from the administrative data of the partner company and are available for each of the 605 farmers in our sample. The rest of the variables are from the baseline survey. These are missing for 32 farmers who denied consent to the survey. In addition, a handful of other values for specific variables are missing because of enumerator mistakes or because the respondent did not know the answer or refused to provide an answer. *Previous Yield* is measured as tons of cane per hectare harvested in the cycle before the intervention. *Man* is a binary indicator equal to one if the person in charge of the sugarcane plot is male. *Own Cow(s)* is a binary indicator equal to one if the household owns any cows. *Portion of Income from Cane* takes value between 1 (“None”) to 6 (“All”). *Savings for Sh 1,000 (Sh 5,000)* is a binary indicator that equals one if the respondent says she would be able to use household savings to deal with an emergency requiring an expense of Sh 1,000 (Sh 5,000). 1 USD= 95 Sh. *Good Relationship with the Company* is a binary indicator that equals one if the respondent says she has a “good” or “very good” relationship with the company (as opposed to “bad” or “very bad”). *Trust Company Field Assistants* and *Trust Company Managers* are defined on a scale 1 (“Not at all”) to 4 (“Completely”). P-values are based on specifications which include field fixed effects (since randomization was stratified at the field level).
Table 2: Main Experiment: Treatment Effects on Take-Up

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<td>N</td>
<td>N</td>
<td>N</td>
<td>Y</td>
<td>Y</td>
</tr>
<tr>
<td>Mean dep. var. (Pay Upfront group)</td>
<td>0.046</td>
<td>0.052</td>
<td>0.046</td>
<td>0.046</td>
<td>0.046</td>
</tr>
<tr>
<td>Observations</td>
<td>605</td>
<td>605</td>
<td>605</td>
<td>605</td>
<td>605</td>
</tr>
</tbody>
</table>

Notes: The table presents the results of the Main Experiment. The dependent variable is a binary indicator equal to one if the farmer took-up the insurance. Specification (2) bundles together treatment groups U1 (Pay Upfront) and U2 (Pay Upfront with 30% discount) as baseline group. Plot Controls are Plot Size and Previous Yield. Farmer Controls are all of the other controls reported in the balance table, Table 1. For each of the plot controls, we also include a dummy equal to one if there is a missing value (and recode missing values to an arbitrary value), so to keep the number of observations unchanged. Mean dep. var. (Pay Upfront group) reports the mean of the dependent variable in the Pay Upfront group. All columns include field fixed effects.
Table 3: Main Experiment: Heterogeneous Treatment Effect by Wealth and Liquidity Constraints Proxies

| Heterogeneity Variable (X): | (1) Land Cultivated (Acres) | (2) Own Cow(s) | (3) Previous Yield (Acres) | (4) Portion of Income from Cane | (5) Savings for Sh1,000 | (6) Savings for Sh5,000 | (7)  
|-----------------------------|-----------------------------|----------------|---------------------------|-------------------------------|------------------------|------------------------|------
| X *Pay At Harvest           | -0.065 [0.033]              | -0.139 [0.078]| -0.079 [0.031]           | -0.001 [0.031]               | 0.053 [0.028]          | -0.174 [0.069]        | -0.131 |
| X                           | -0.000 [0.017]              | 0.066 [0.044] | 0.015 [0.020]            | -0.022 [0.019]              | 0.004 [0.016]          | 0.006 [0.043]         | 0.016 |
| Pay At Harvest              | 0.706 [0.029]               | 0.822 [0.068]| 0.673 [0.028]            | 0.672 [0.028]              | 0.540 [0.096]          | 0.764 [0.035]         | 0.725 |
| Mean dep. var. (Pay Upfront group) | 0.052 [0.052]     | 0.052 [0.052] | 0.052 [0.052]          | 0.052 [0.052]              | 0.052 [0.052]          | 0.052 [0.052]         | 0.052 |
| Mean heterogeneity var. (X) | 0.000 [0.000]              | 0.791 [0.000] | 0.000 [0.000]           | -0.000 [0.000]             | 3.311 [0.000]          | 0.300 [0.000]         | 0.120 |
| S.D. heterogeneity var. (X) | 1.000 [1.000]              | 0.407 [1.000] | 1.000 [1.000]           | 1.126 [1.000]              | 0.459 [1.000]          | 0.326 [1.000]         |      |
| Observations                | 562                         | 569            | 605                       | 605                          | 569                    | 566                     | 565  |

Notes: The table shows heterogenous treatment effects on take-up from the Main Experiment, by different proxies for liquidity constraints and wealth. The dependent variable is a binary indicator equal to one if the farmer took-up the insurance, and in each column the relevant heterogeneity variable (X) is reported in the column title. Treatments U1 (Pay Upfront) and U2 (Pay Upfront with 30% discount) are bundled together as baseline group, as specified in the registered plan. The relevant heterogeneity variable is reported in the column title. Mean dep. var. (Pay Upfront group) reports the mean of the dependent variable in the Pay Upfront group. For each of the heterogeneity variables (X), we report their mean (Mean heterogeneity var.) and standard deviation (S.D. heterogeneity var.). Plot Size and Previous Yield are from the administrative data of the partner company and are available for each of the 605 farmers in our sample. The rest of the variables are from the baseline survey. These are missing for 32 farmers who denied consent to the survey. In addition, a handful of other values for specific variables are missing because of enumerator mistakes or because the respondent did not know the answer or refused to provide an answer. Land cultivated is the standardized total area of land cultivated by the household. Own Cow(s) is a binary indicator for whether the household owns any cows. Previous Yield is the standardized tons of cane per hectare harvested in the cycle before the intervention. Plot size is the standardized area of the sugarcane plot. Portion of Income from Cane takes value between 1 (“None”) to 6 (“All”). Savings for Sh 1,000 (Sh 5,000) is a binary indicator that equals one if the respondent says she would be able to use household savings to deal with an emergency requiring an expense of Sh 1,000 (Sh 5,000). 1 USD = 95 Sh. All columns include field fixed effects.
Table 4: Cash Drop Experiment: Treatment Effects on Take-Up

<table>
<thead>
<tr>
<th></th>
<th>(1)</th>
<th>(2)</th>
<th>(3)</th>
<th>(4)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Pay At Harvest</td>
<td>0.603</td>
<td>0.589</td>
<td>0.635</td>
<td>0.635</td>
</tr>
<tr>
<td></td>
<td>[0.077]</td>
<td>[0.078]</td>
<td>[0.105]</td>
<td>[0.107]</td>
</tr>
<tr>
<td>Cash</td>
<td>0.132</td>
<td>0.128</td>
<td>0.167</td>
<td>0.177</td>
</tr>
<tr>
<td></td>
<td>[0.079]</td>
<td>[0.079]</td>
<td>[0.110]</td>
<td>[0.111]</td>
</tr>
<tr>
<td>Pay At Harvest * Cash</td>
<td>-0.071</td>
<td>-0.100</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>[0.156]</td>
<td>[0.159]</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Plot Controls</td>
<td>N</td>
<td>Y</td>
<td>N</td>
<td>Y</td>
</tr>
<tr>
<td>Mean dep. var. (Pay Upfront group)</td>
<td>0.125</td>
<td>0.125</td>
<td>0.125</td>
<td>0.125</td>
</tr>
<tr>
<td>P-value: Pay at Harvest = Cash</td>
<td>0.000</td>
<td>0.000</td>
<td>0.000</td>
<td>0.000</td>
</tr>
<tr>
<td>Observations</td>
<td>120</td>
<td>120</td>
<td>120</td>
<td>120</td>
</tr>
</tbody>
</table>

Notes: The table presents the results of the Cash Drop Experiment. The dependent variable is a binary indicator equal to one if the farmer took-up the insurance. The baseline (omitted) group is the Pay Upfront group, where farmers had to pay the premium upfront and did not receive a cash drop. Mean dep. var. (Pay Upfront group) reports the mean of the dependent variable in the Pay Upfront group. Plot Controls are Plot Size and Previous Yield. All columns include field fixed effects.
### Table 5: Intertemporal Preferences Experiment: Treatment Effect on Take-Up

<table>
<thead>
<tr>
<th></th>
<th>(1)</th>
<th>(2)</th>
<th>(3)</th>
<th>(4)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Receive in One Month</td>
<td>0.233</td>
<td>0.237</td>
<td>0.286</td>
<td>0.293</td>
</tr>
<tr>
<td></td>
<td>[0.089 ]</td>
<td>[0.092 ]</td>
<td>[0.107 ]</td>
<td>[0.109 ]</td>
</tr>
<tr>
<td>Plot Controls</td>
<td>N</td>
<td>Y</td>
<td>N</td>
<td>Y</td>
</tr>
<tr>
<td>Farmer Controls</td>
<td>N</td>
<td>N</td>
<td>Y</td>
<td>Y</td>
</tr>
<tr>
<td>Mean dep. var. (Receive Choice Now group)</td>
<td>0.508</td>
<td>0.508</td>
<td>0.508</td>
<td>0.508</td>
</tr>
<tr>
<td>Observations</td>
<td>121</td>
<td>121</td>
<td>121</td>
<td>121</td>
</tr>
</tbody>
</table>

**Notes:** The table presents the results of the Intertemporal Preferences Experiment. The dependent variable is a binary indicator equal to one if the farmer took-up the insurance. The baseline (omitted) group is the Receive Now group, where farmers chose between an amount of money equal to the premium and free subscription to the insurance. In the Receive Choice in One Month group, farmers made the same choice, but were told that what chose would be delivered one month later (plus one month’s interest if they chose cash). *Mean dep. var. (Pay Upfront group)* reports the mean of the dependent variable in the Receive Choice Now group. *Plot Controls* are Plot Size and Previous Yield. *Farmer Controls* are all the other controls reported in the main balance table, Table 1. For each of the plot controls, we also include a dummy equal to one if there is a missing value (and recode missing values to an arbitrary value), so to keep the number of observations unchanged. All columns include field fixed effects.
### Table 6: Main Experiment: Heterogeneous Treatment Effect by Proxies for Expectations of Default

<table>
<thead>
<tr>
<th>Heterogeneity Variable (X):</th>
<th>Good Relationship with Company</th>
<th>Trust Company Field Assistants</th>
<th>Trust Company Managers</th>
<th>Past Share of Plots Harvested in the Field</th>
<th>Past Share of Plots Harvested in the Sublocation</th>
</tr>
</thead>
<tbody>
<tr>
<td>X *Pay At Harvest</td>
<td>-0.062</td>
<td>0.022</td>
<td>0.029</td>
<td>-0.228</td>
<td>0.681</td>
</tr>
<tr>
<td></td>
<td>[0.070]</td>
<td>[0.029]</td>
<td>[0.028]</td>
<td>[0.297]</td>
<td>[0.425]</td>
</tr>
<tr>
<td>X</td>
<td>0.087</td>
<td>0.034</td>
<td>0.027</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>[0.040]</td>
<td>[0.018]</td>
<td>[0.017]</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Pay At Harvest</td>
<td>0.726</td>
<td>0.654</td>
<td>0.640</td>
<td>0.852</td>
<td>0.101</td>
</tr>
<tr>
<td></td>
<td>[0.035]</td>
<td>[0.087]</td>
<td>[0.073]</td>
<td>[0.261]</td>
<td>[0.358]</td>
</tr>
<tr>
<td>Mean dep. var. (Pay Upfront group)</td>
<td>0.052</td>
<td>0.052</td>
<td>0.052</td>
<td>0.052</td>
<td>0.052</td>
</tr>
<tr>
<td>Mean heterogeneity var. (X)</td>
<td>0.335</td>
<td>2.889</td>
<td>2.423</td>
<td>0.873</td>
<td>0.839</td>
</tr>
<tr>
<td>S.D. heterogeneity var. (X)</td>
<td>0.472</td>
<td>1.045</td>
<td>1.101</td>
<td>0.099</td>
<td>0.068</td>
</tr>
<tr>
<td>Observations</td>
<td>570</td>
<td>569</td>
<td>567</td>
<td>556</td>
<td>605</td>
</tr>
</tbody>
</table>

**Notes:** The table shows heterogeneities of the treatment effects of the pay-at-harvest premium on insurance take-up in the main experiment, by four baseline variables (Z): three different proxies for trust toward the company (col. 1-3) and the historical harvest rate in the sublocation of the plot (col. 4). The name of the heterogeneity variable (Z) is reported in the column title. The dependent variable is a binary indicator equal to one if the farmer took-up the insurance. *Upfront Payment* and *Upfront Payment with 30% discount* treatment groups are bundled together as baseline group, as outlined in the registered plan. *Mean dep. var. (Pay Upfront group)* reports the mean of the dependent variable in the *Pay Upfront* group. The relevant heterogeneity variable is reported in the column title. For each of the heterogeneity variables (X), we report their mean (*Mean heterogeneity var.*) and standard deviation (*S.D. heterogeneity var.*). The notes of Table 1 provide a definition of the trust variables used in the heterogeneity analysis. The two variables *Past Share of Plots Harvested in the Field* and *Past Share of Plots Harvested in the Sublocation* capture the share of plots that completed the harvest with the company in the field and sublocation, respectively, in the 2011-2014 period. The coefficients on the level of *Past Share of Plots Harvested in the Field* and *Past Share of Plots Harvested in the Sublocation* are missing because field fixed effects absorb them. All columns include field fixed effects.
A Appendix

A.1 Appendix figures and tables

Figure A.1: Simulation of Insurance Payouts Based on Historical Data

Notes: The diagram shows what proportion of farmers would have received a positive payout from the insurance in previous years, and gives a sense of the basis risk of the insurance product. The numbers are based on simulations using historical administrative data on yields. The total bar height is the proportion of people who would have received an insurance payout under a single trigger design. It is broken down into those who still receive a payout when the second, area yield based trigger is added, and those who do not. We do not have historical data for the years 2006-2011.
Table A.1: Main Experiment: Heterogeneous Treatment Effect by Required Rates of Return

<table>
<thead>
<tr>
<th>Heterogeneity Variable (X):</th>
<th>(1)</th>
<th>(2)</th>
<th>(3)</th>
</tr>
</thead>
<tbody>
<tr>
<td>RRR on inputs</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>X * Pay At Harvest</td>
<td>-0.124</td>
<td>0.099</td>
<td>0.001</td>
</tr>
<tr>
<td></td>
<td>[0.141]</td>
<td>[0.114]</td>
<td>[0.152]</td>
</tr>
<tr>
<td>X</td>
<td>0.073</td>
<td>0.035</td>
<td>0.121</td>
</tr>
<tr>
<td></td>
<td>[0.081]</td>
<td>[0.065]</td>
<td>[0.091]</td>
</tr>
<tr>
<td>Pay At Harvest</td>
<td>0.761</td>
<td>0.685</td>
<td>0.716</td>
</tr>
<tr>
<td></td>
<td>[0.054]</td>
<td>[0.042]</td>
<td>[0.029]</td>
</tr>
<tr>
<td>Mean dep. var. (Pay Upfront group)</td>
<td>0.052</td>
<td>0.052</td>
<td>0.052</td>
</tr>
<tr>
<td>Mean heterogeneity var. (X)</td>
<td>0.324</td>
<td>0.269</td>
<td>-0.043</td>
</tr>
<tr>
<td>S.D. heterogeneity var. (X)</td>
<td>0.228</td>
<td>0.278</td>
<td>0.211</td>
</tr>
<tr>
<td>Observations</td>
<td>561</td>
<td>563</td>
<td>561</td>
</tr>
</tbody>
</table>

Notes: The table shows heterogeneities of the treatment effect of the pay-at-harvest premium on insurance take-up in the main experiment, by preferences in Money Earlier or Later experiments. The dependent variable is a binary indicator equal to one if the farmer took-up the insurance. Upfront Payment and Upfront Payment with 30% discount treatment groups are bundled together as baseline group, as outlined in the registered plan. The relevant heterogeneity variable is reported in the column title. Mean dep. var. (Pay Upfront group) reports the mean of the dependent variable in the Pay Upfront group. For each of the heterogeneity variables (X), we report their mean (Mean heterogeneity var.) and standard deviation (S.D. heterogeneity var.). These variables come from responses to hypothetical (Becker-DeGroot) choices over earlier or later cash transfers, from which we deduce three Required Rates of Returns. ‘RRR for inputs’ is the required rate of return which would (hypothetically) make farmers indifferent between paying for inputs upfront and having them deducted from harvest revenues. ‘RRR 0 to 1 week’ is the required rate of return to delay receipt of a cash transfer by one week. ‘RRR 0 to 1 week - RRR 1 to 2 weeks’ is the difference between the rates of return required to delay receipt of a cash transfer from today to one week from now, and from one week from now to two weeks from now. All columns include field fixed effects.
Table A.2: Cash Drop Experiment: Balance Table

<table>
<thead>
<tr>
<th></th>
<th>Upfront</th>
<th>Upfront + Cash</th>
<th>Pay at Harvest</th>
<th>Pay at Harvest + Cash</th>
<th>P-value</th>
<th>P-value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Plot Size</td>
<td>.301</td>
<td>.290</td>
<td>.283</td>
<td>.282</td>
<td>.18</td>
<td>.967</td>
</tr>
<tr>
<td></td>
<td>(.107)</td>
<td>(.092)</td>
<td>(.121)</td>
<td>(.088)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Yield</td>
<td>54.3</td>
<td>57.8</td>
<td>61.4</td>
<td>54.1</td>
<td>.758</td>
<td>.745</td>
</tr>
<tr>
<td></td>
<td>(18.4)</td>
<td>(17.9)</td>
<td>(14.8)</td>
<td>(17.0)</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Notes: The table presents baseline balancing for the Cash Drop Experiment. Previous Yield is measured as tons of cane per hectare harvested in the cycle before the intervention. There are fewer covariates for this experiment as it did not have an accompanying survey, so we only have covariates from administrative data. P-values are based on specifications which include field fixed effects (since randomization was stratified at the field level).
Table A.3: Intertemporal Preferences Experiment: Balance Table

<table>
<thead>
<tr>
<th></th>
<th>Receive Now</th>
<th>Receive in One Month</th>
<th>p-value</th>
<th>N</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Plot Size</strong></td>
<td>.328</td>
<td>.290</td>
<td>.085</td>
<td>121</td>
</tr>
<tr>
<td></td>
<td>(.109)</td>
<td>(.106)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Yield</strong></td>
<td>58.0</td>
<td>57.8</td>
<td>.571</td>
<td>121</td>
</tr>
<tr>
<td></td>
<td>(20.1)</td>
<td>(21.3)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Man</strong></td>
<td>.793</td>
<td>.590</td>
<td>.009</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(.408)</td>
<td>(.495)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Age</strong></td>
<td>48.3</td>
<td>47.7</td>
<td>.573</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(12.8)</td>
<td>(11.9)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Land Cultivated (Acres)</strong></td>
<td>3.81</td>
<td>2.67</td>
<td>.02</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(3.87)</td>
<td>(1.72)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Own Cow(s)</strong></td>
<td>.844</td>
<td>.852</td>
<td>.987</td>
<td>118</td>
</tr>
<tr>
<td></td>
<td>(.365)</td>
<td>(.357)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Portion of Income from Cane</strong></td>
<td>3.62</td>
<td>3.32</td>
<td>.193</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(1.12)</td>
<td>(.943)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Savings for Sh1,000</strong></td>
<td>.327</td>
<td>.295</td>
<td>.526</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(.473)</td>
<td>(.459)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Savings for Sh5,000</strong></td>
<td>.155</td>
<td>.065</td>
<td>.056</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(.365)</td>
<td>(.249)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Expected Yield</strong></td>
<td>77.7</td>
<td>87.5</td>
<td>.47</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(65.3)</td>
<td>(38.4)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Expected Yield in Good Year</strong></td>
<td>95.1</td>
<td>109.</td>
<td>.322</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(70.7)</td>
<td>(48.4)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Expected Yield in Bad Year</strong></td>
<td>63.0</td>
<td>69.4</td>
<td>.682</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(61.7)</td>
<td>(32.0)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Good Relationship with Company</strong></td>
<td>.310</td>
<td>.316</td>
<td>.622</td>
<td>118</td>
</tr>
<tr>
<td></td>
<td>(.466)</td>
<td>(.469)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Trust Company Field Assistants</strong></td>
<td>3.10</td>
<td>2.83</td>
<td>.315</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(1.02)</td>
<td>(1.01)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>Trust Company Managers</strong></td>
<td>2.15</td>
<td>2.11</td>
<td>.32</td>
<td>119</td>
</tr>
<tr>
<td></td>
<td>(1.13)</td>
<td>(1.03)</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Notes: The table presents baseline balancing for the Intertemporal Preferences Experiment. **Plot Size** and **Previous Yield** are from the administrative data of the partner company and are available for each of the 605 farmers in our sample. The rest of the variables are from the baseline survey. These are missing for 2 farmers who denied consent to the survey. In addition, a handful of other values for specific variables is missing because of enumerator mistakes or because the respondent did not know the answer or refused to provide an answer. **Previous Yield** is measured as tons of cane per hectare harvested in the cycle before the intervention. **Man** is a binary indicator equal to one if the person in charge of the sugarcane plot is male. **Own Cow(s)** is a binary indicator equal to one if the household owns any cows. **Portion of Income from Cane** takes value between 1 (“None”) to 6 (“All”). **Savings for Sh 1,000 (Sh 5,000)** is a binary indicator that equals one if the respondent says she would be able to use household savings to deal with an emergency requiring an expense of Sh 1,000 (Sh 5,000). 1 USD= 95 Sh. **Good Relationship with the Company** is a binary indicator that equals one if the respondent says she has a “good” or “very good” relationship with the company (as opposed to “bad” or “very bad”). **Trust Company Field Assistants** and **Trust Company Managers** are defined on a scale 1 (“Not at all”) to 4 (“Completely”). P-values are based on specifications which include field fixed effects (since randomization was stratified at the field level).
B Intertemporal model of insurance

In this section we develop formally the dynamic model of insurance that we presented in the main text. We begin by setting up a background intertemporal model, without insurance, into which we then introduce the two insurance products - pay-upfront, and pay at harvest.\textsuperscript{32} We first consider the case where contracts are perfectly enforceable, and then allow for imperfect enforcement. The model shows how the channels interact to affect insurance demand (and for whom) and motivates our mechanism experiments and empirical tests to identify them.

B.1 Background

The background model is a buffer-stock savings model, as in Deaton (1991), with the addition of present-biased preferences and cyclical income flows (representing agricultural seasonality).

**Time and state** We use a stochastic discrete-time, infinite horizon model. Each period $t$, which we will typically think of as one month, has a set of states $S_t$, corresponding to different income realizations. The probability distribution over states is assumed to be memoryless and cyclical (of period $N$). Thus $P(s_t = s)$ may depend on $t$ but is independent of the history at time $t$, $(s_i)_{i < t}$, and $S_t = S_{t+N}$ and $P(s_t = s) = P(s_{t+N} = s)$ $\forall t, s$.

**Utility** Individuals have time-separable preferences and maximize present-biased expected utility $u(c_t) + \beta \sum_{i=1}^{\infty} \delta^i \mathbb{E}[u(c_{t+i})]$ as in Laibson (1997).\textsuperscript{33} We assume that $u(.)$ satisfies $u'>0$, $u''<0$, $\lim_{c \to 0} u'(c) = \infty$ and $u''' > 0$, and that $\beta \in (0,1]$ and $\delta \in (0,1)$.\textsuperscript{34}

**Intertemporal transfers** Households have access to a risk-free asset with constant rate of return $R$ and are subject to a borrowing constraint. As in Deaton (1991), we assume $R \delta < 1$.

**Income and wealth** Households have state-dependent income in each period $y_t$. We assume $y_t > 0 \forall t \in \mathbb{R}^+$.\textsuperscript{35} We denote cash-on-hand once income is received by $x_t$ and wealth at the beginning of each period by $w_t$, so that $x_t = w_t + y_t$.

**Household’s problem** The household faces the following maximization sequence problem in period $t$:

$$\max_{(c_{t+i})_{i \geq 0}} u(c_t) + \beta \mathbb{E}[\sum_{i=1}^{\infty} \delta^i u(c_{t+i})]$$

$$\text{s.t. } \forall i \geq 0 \quad x_{t+i+1} = R(x_{t+i} - c_{t+i}) + y_{t+i+1}$$

$$x_{t+i} - c_{t+i} \geq 0$$

We assume that households are naive-\(\beta\)\(\delta\) discounters: they believe that they will be exponential discounters in future periods (and so may have incorrect beliefs about future consumption). There is evidence for such naivete in other settings (DellaVigna and Malmendier 2006) and, with the exception of Proposition 2, all propositions hold with slight modification in the sophisticated-\(\beta\)\(\delta\) case.\textsuperscript{36}

\textsuperscript{32} An alternative approach is to use observed investment behavior (in particular the potential returns of risk-free investments which farmers make or forgo) as a sufficient statistic for the cost of the transfer across time. In appendix section C we report basic quantitative bounds for the effect of the transfer across time on insurance demand using this approach.

\textsuperscript{33} We note that time-separable preferences equate the elasticity of intertemporal substitution, $\psi$, and the inverse of the coefficient of relative risk aversion, $\frac{1}{\gamma}$. As such they imply a tight link between preferences over risk and consumption smoothing, both of which are relevant for insurance demand. Recursive preferences allow them to differ ( Epstein and Zin 1989), which would provide an additional channel: if $\psi \ll \frac{1}{\gamma}$, then demand for upfront and at-harvest insurance may differ greatly, since the cost of variation in consumption over time would far exceed that of variation across state.

\textsuperscript{34} We assume prudence, i.e. $u''' > 0$, as is common in the precautionary savings literature (and as holds for CRRA utility), to ensure that the value of risk reduction is decreasing in wealth, i.e. Lemma B.2, part 3. Liquidity constraints strengthen concavity of the value function, and thus the result, but our proof requires prudence.

\textsuperscript{35} As a technical assumption we actually assume that $y_t$ is strictly bounded above zero $\forall t$.

\textsuperscript{36} The required modification is replacing $\beta$ by a state-specific discount factor, which is a function of the marginal propensity to consume. Proposition 2 and Lemma B.2 may no longer hold, since concavity and uniqueness of the continuation value $V_t^c$ is no longer guaranteed, complicating matters significantly.
Denote time-\( t \) self’s value function by \( V_t \).\(^{37} \) Then \( V_t \) is a function of one state variable, cash-on-hand \( x_t \), and is the solution to the following recursive dynamic programming problem:

\[
V_t(x_t) = \max_{c_t} u(c_t) + \beta \delta E_t[V_{t+1}^{c}(x_{t+1})] \tag{B.2}
\]

subject to, for all \( i \geq 0 \),

\[
x_{t+i+1} = R(x_{t+i} - c_{t+i}) + y_{t+i+1} \\
x_{t+i} - c_{t+i} \geq 0
\]

where \( V_t^c(x_t) \), the continuation value function, is the solution to equation (B.2), but with \( \beta = 1 \), i.e.

\[
V_t^c(x_t) = \max_{c_t} u(c_t) + \delta E_t[V_{t+1}^{c}(x_{t+1})] \tag{B.3}
\]

Because of the cyclicity of the setup, the functions \( V_t(.) = V_{t+N}(.) \) and \( V_t^c(.) = V_{t+N}^c(.) \) \( \forall t \).

**Lemma B.1.** \( \forall t \in \mathbb{R}^+ : \)

1. \( V_t, V_t^c \) exist, are unique, and are concave.
2. \( \frac{\partial v}{\partial x} < 1 \), so investments (and wealth in the next period) are increasing in wealth.

**Proof.** **Part (1)**

Since \( V^c \) is the solution to a recursive dynamic programming problem with convex flow payoffs, concave intertemporal technology, and convex choice space, theorem 9.6 and 9.8 in Stokey and Lucas (1989) tell us that \( V^c \) exists and is strictly concave. To expand further, the proofs, which are similar in method to subsequent proofs below, are as follows.

**Existence & Uniqueness.** Blackwell’s sufficient conditions hold for the Bellman operator mapping \( V_{t+1}^c \) to \( V_t^c \): monotonicity is clear; discounting follows by the assumption that \( \delta R < 1 \) - taking \( a \in \mathbb{R} \), \( V_{t+1}^c + a \) is mapped to \( V_t^c + \delta Ra \); the flow payoff \( u(c_t) \) is bounded and continuous by assumption; compactness of the state-space is problematic, but given \( \delta R < 1 \) the stock of cash-on-hand will not amass indefinitely, so we can bound the state space with little concern (Stokey and Lucas (1989) provide more formal, technical methods to deal with the problem. Since it is not the focus of the paper, we do not go into more details). Thus, the Bellman operator is a contraction mapping, and iterating this operator implies the mapping from \( V_{t+N}^c \) to \( V_t^c \) is a contraction mapping also. \( V_t^c \) is a fixed point of this mapping, and thus exists and is unique by the contraction mapping theorem.

**Concavity.** Assume \( V_{t+N}^c \) is concave. Then \( V_{t+N-1}^c \) is strictly concave, since the utility function is concave and the state space correspondence in convex, by standard argument (take \( x_\theta = \theta x_a + (1 - \theta)x_b \), expand out the definition of \( V_{t+N-1}^c(x_\theta) \) and use the concavity of \( V_{t+N-1}^c \) and the strict concavity of \( u(.) \)). Iterating this argument, we thus have that \( V_t^c \) is concave. Therefore, since there is a unique fixed point of the contraction mapping from \( V_{t+N}^c \) to \( V_t^c \), that fixed point must be concave (since we will converge to the fixed point by iterating from any starting function; start from a concave function).

**Part (2)**

\[
V_t(x_t) = \max_{x_t} u(c) + \beta \delta E_t[V_{t+1}^{c}(R(x_t - c) + y_{t+1})]
\]

Since \( V_{t+1}^c \) is concave, this is a convex problem, and the solution satisfies:

\[
u'(c_t) = \max\{\beta \delta RE_t[V_{t+1}^{c}(R(x_t - c_t) + y_{t+1})], u'(x_t)\}
\]

Define \( a(x_t) = x_t - c_t(x_t) \). Take \( x_t' > x_t \), and suppose \( a_t'(x_t') < a_t(x_t) \). Since \( a_t' \geq 0 \), we must have \( a_t > 0 \). Now, \( a_t' < a_t \) implies \( c_t' > c_t \), so \( u'(c_t') < u'(c_t) = \beta \delta RE_t[V^{c'}(R a_t + y)] \leq \beta \delta RE_t[V^{c'}(R a_t' + y)] \leq u'(c_t') \). Contradiction. Thus \( a_t'(x_t) \geq 0 \). Since \( V^{c'}(R a_t + y_{t+1}) = u'(c_{t+1}) \), the concavity of \( V^c \) also implies that \( c_{t+1} \) is increasing in \( x_t \) in the sense of first order stochastic dominance.

\(^{37}\)Since preferences are not time-consistent, \( V_t \) is different from the continuation value function, denoted \( V_t^c \), which is the value function at time \( t \), given time \( t - 1 \) self’s intertemporal preferences, i.e. without present bias.
**Iterated Euler equation** To consider the importance of the timing of premium payment, we will compare the marginal utility of consumption across time periods using the Euler equation:

$$u'(c_t) = \max \{ \beta \delta \mathbb{E}[u'(c_{t+1})], u'(x_t) \}$$  \hspace{1cm} (B.4)

$$= \beta \delta \mathbb{E}[u'(c_{t+1})] + \mu_t$$  \hspace{1cm} (B.5)

where $\mu_t(x_t)$ is the Lagrange multiplier on the borrowing constraint, and $c_{t+1}$ is period $t$ self’s belief about consumption in period $t+1$. Iterating the Euler equation to span more periods gives:

$$u'(c_t) = \beta (R \delta)^H \mathbb{E}[u'(c_{t+H})] + \lambda^{t+H}_t$$  \hspace{1cm} (B.6)

where $\lambda^{t+H}_t(x_t)$ represents distortions in transfers from $t$ to $t+H$ arising from (potential) borrowing constraints:

$$\lambda^{t+H}_t := \mu_t + \beta \mathbb{E}[\sum_{i=1}^{H-1} (R \delta)^i \mu_{t+i}]$$  \hspace{1cm} (B.7)

The setup provides the following result, which we will use when considering insurance demand.

**Lemma B.2.** $\forall t \in \mathbb{R}^+$:

1. $\frac{d V^c_t}{d t} > 0$, so the value of risk reduction is decreasing in wealth.
2. $\frac{d \lambda^{t+H}_t}{d x_t} < 0$, i.e. the distortion arising from liquidity constraints is decreasing in wealth.

The intuition behind part 1 of the lemma is as follows. The value of risk reduction depends on how much the marginal utility of consumption varies across states of the world. Two things dictate this. First, how much marginal utility varies for a given change in consumption; this drives the comparative static through prudence (i.e. $u'' > 0$). Second, how much consumption varies for a given change in wealth (the marginal propensity to consume). Concavity of the consumption function, another consequence of prudence (Carroll and Kimball 1996), but further strengthened by the borrowing constraint (Zeldes 1989; Carroll and Kimball 2005), reinforces the result.

**Proof of Lemma B.2.** Part (1)

The intuition for the result is that $V^{c'}_t = u'(c_t(x_t))$ (combining the first order condition with the envelope condition), and $u'$ and $c$ are convex by prudence (with the convexity of $c$ strengthened by the borrowing constraint). The proof relies on showing that the mapping from $V^{c'}_{t+1}$ to $V^{c'}_t$ conserves convexity, $\forall t \in \mathbb{R}^+$. Then the proof follows as in 1 above: $V^{c'}_t$ is the fixed point of a contraction mapping which conserves convexity of the first derivative, hence $V^{c'}_t$ must be convex. We show that the mapping preserves convexity as follows, which is based on Deaton and Laroque (1992):

Suppose $V^{c'}_{t+1}$ is convex.

$$V^{c'}_t(x_t) = u'(c_t)$$

$$= \max \{ \delta \mathbb{E}[V^{c'}_{t+1}(R(x_t - c_t) + y_{t+1})], u'(x_t) \}$$

Define $G$ by $G(q, x) = \delta \mathbb{E}[V^{c'}_{t+1}(R(x_t - u'^{-1}(q) + y_{t+1})]$. $G$ is convex in $q$ and $x$: $u'$ is convex and strictly decreasing, so $u'^{-1}$ is convex (and so $-u'^{-1}$ is concave); $V^{c'}_{t+1}$ is convex and decreasing, so $V^{c'}_{t+1}(R(x_t - u'^{-1}(q) + y_{t+1})$ convex in $q$ and $x$ (since $f$ convex decreasing and $g$ concave $\Rightarrow f \circ g$ convex); expectation is a linear operator (and hence preserves convexity).

Now $V^{c'}_t = \max(G(V^{c'}_{t+1}(x_t), x_t), u'(x_t))$, or, defining $H(q, x) = \max(G(q, x) - q, u'(x) - q)$, then $V^{c'}_t$ is the solution in $q$ of $H(q, x) = 0$.

$H$ is convex in $q$ and $x$, since it is the max of two functions, each of which are convex in $q$ and $x$. Take any two $x$ and $x'$ and $\lambda \in (0, 1)$. Then $H(V^{c'}_t(x), x) = H(V^{c'}_t(x'), x) = 0$. Thus, by the convexity of $H$, $H(\lambda V^{c'}_t(x) + (1 - \lambda)V^{c'}_t(x'), \lambda x + (1 - \lambda)x') \leq 0$. Now, since $H$ is decreasing in $q$, that means that $V^{c'}_t(\lambda x + (1 - \lambda)x') < \lambda V^{c'}_t(x) + (1 - \lambda)V^{c'}_t(x')$, i.e. $V^{c'}_t$ is convex.

---

38Mathematically, the value of a marginal transfer from state $x + \Delta$ to state $x$, assuming both equally likely, is (one-half times) $V'(x + \Delta) - V'(x) \approx u'(c(x + \Delta)) - u'(c(x)) \approx u''(c(x))c'(x)\Delta$. Its derivative w.r.t. $x$ is $\Delta(u''(c(x))c'(x)x + u''(c(x))c'(x))$, which shows the role of both $u'''$ and $c''$. 
Part (2)
Clearly \( \frac{d\mu}{dx_t} \leq 0 \). Also, the distribution of \( x_{t+1} \) is increasing in the distribution of \( x_t \), is the sense of first order stochastic dominance, by iterating Lemma A.1 part (2). Hence the result holds by the law of iterated expectations.

\[ \square \]

B.2 Insurance with perfect enforcement

We begin with the case where insurance contracts are perfectly enforceable.

**Timing** The decision to take up insurance is made in period 0. Any insurance payout is made in period \( H \), the harvest period.

**Payouts** Farmers can buy one unit of the insurance, which gives state-dependent payout \( I \) in period \( H \), normalized so that \( \mathbb{E}[I] = 1 \). We assume that \( y_H + I - 1 \) second-order stochastically dominates \( y_H \).\(^{39}\)

**Premiums** We consider two timings for premium payment: upfront, at time 0, and at harvest, at time \( H \). If paid at harvest the premium is 1, the expected payout (commonly referred to as the actuarially-fair price). If paid upfront, the premium is \( R^{-H} \). Thus, at interest rate \( R \), upfront and at-harvest payment are equivalent in net present value.

**Demand for insurance** Farmers buy insurance if the expected benefit of the payout is greater than the expected cost of the premium. Thus, to first order,\(^{40}\) the take-up decisions are:

\[
\text{Take up insurance iff } \begin{cases} \beta \delta^H \mathbb{E}[u'(c_H)] \leq \beta \delta^H \mathbb{E}[Iu'(c_H)] & \text{(pay-at-harvest insurance)} \\ R^{-H} u'(c_0) \leq \beta \delta^H \mathbb{E}[Iu'(c_H)] & \text{(pay-upfront insurance)} \end{cases}
\]

(B.8)

For pay-at-harvest insurance, the decision is based on a comparison of the marginal utility of consumption across states (when insurance pays out vs. when it does not). For pay-upfront insurance, in contrast, the decision is based on a comparison across both states and time (when insurance pays out in the future vs. today). To relate the two decisions, we use the iterated Euler equation, equation 3, which gives the following.

**Proposition 1.** If farmers face a positive probability of being liquidity constrained before harvest, they prefer pay-at-harvest insurance to pay-upfront insurance; otherwise they are indifferent.\(^{41}\) To first order, the difference is equivalent to a proportional price cut in the upfront premium of \( \frac{\lambda H}{u'(c_H)} (\leq 1) \).

Intuitively, paying the premium upfront, rather than at harvest, is akin to holding a unit of illiquid assets. The cost of doing so is given by the (shadow) interest rate, which depends on whether liquidity constraints may bind before harvest - if not, then asset holdings can simply adjust to offset the difference. As a corollary, intertemporal preferences only matter for the timing of premium payment indirectly, through their effect on liquidity constraints, reflecting the fact that preferences are defined over flows of utility rather than over flows of money.

**Proof of Proposition 1.** In the following, denote by \( a_t \) the assets held at the end of period \( t \), so that \( a_t = x_t - c_t \).

Suppose farmers have zero probability of being liquidity constrained before the next harvest when they buy pay-upfront insurance. Denote their (state-dependent) path of assets until harvest by \((a_t^H)_{t < H}\), given that they have purchased pay-upfront insurance. By the assumption that the farmers will not be liquidity constrained before harvest, \( a_t^H > 0 \forall t < H \) and for all histories \((s_t)_{t \leq t}\). Now, suppose instead of pay-upfront insurance, they had been

\(^{39}\)Historical simulations using administrative data suggest this assumption is reasonable in our setting. While the second, area-yield based trigger, does lead to basis risk in the insurance product, it only prevents payouts in 26% of cases receiving payouts under the single trigger, as shown in Figure A.1.

\(^{40}\)We use first order approximations at several points. They are reasonable in our setting for several reasons: the premium is small (3% of average revenues) and the insurance provides low coverage (a maximum payout of 20% of expected revenue); we care about differential take-up by premium timing, so second order effects which affect upfront and at-harvest insurance equally do not matter; both the double trigger insurance design, and the provision of inputs by the company, meant insurance was unlikely to affect input provision, in line with results in section 5.4.

\(^{41}\)To be precise, being “almost” liquidity constrained is sufficient: the exact condition for preferring pay-at-harvest is that, upon purchasing pay-at-harvest insurance, \( x_t - c_t \leq R^{-H} \) for some time \( t < H \) and for some path.
offered pay-at-harvest insurance. If they invest the money they would have spent on pay-upfront insurance in assets instead, so \( a^H_t(s) = a^U_t(s) + R^{-H-t} \), then they can pay the pay-at-harvest premium at harvest time and have the same consumption path as in the case of pay-upfront, so they must be at least as well off. Similarly, suppose they optimally hold \((a^D_t)_{t < H}\) in the pay-at-harvest case. If instead offered upfront insurance, they can use some of these assets to instead buy insurance, so that \( a^U_t(s) = a^D_t(s) - R^{-H-t} \). Since, by assumption \( a^U_t(s) > 0 \), doing so they can again follow the same consumption path as in the case of pay-at-harvest insurance, so pay-upfront insurance is at least as good as at-harvest insurance. Thus the farmer is indifferent between pay-upfront and pay-at-harvest insurance. As an aside, we note that this holds true even in the sophisticated \( \beta \delta \) case, since so long as the farmer is not liquidity constrained he is passing forward wealth, meaning that paying the insurance at harvest time doesn’t give him any extra ability to constrain his choices at harvest time than what he already has.

To first order, at time 0 the net benefit of pay-at-harvest insurance is \( \beta \delta^H \mathbb{E}(Iu'(c_H)) - \beta \delta^H \mathbb{E}(u'(c_H)) \), and of pay-upfront is \( \beta \delta^H \mathbb{E}(Iu'(c_H)) - \beta \delta^H \mathbb{E}(u'(c_H)) - R^{-H} \lambda^H_0 \) (note that the envelope theorem applies because, in the sequence problem, the insurance payout \( I \) does not enter any constraints before time \( H \). This would no longer be the case if borrowing constraints were endogenous to next period’s income). Thus the difference between the two is \( R^{-H} \lambda^H_0 \). Consider a pay-upfront insurance product which had premium \((1 - \frac{\lambda^H_0}{u'(c_H)})R^{-H} \). The net benefit would be

\[
\beta\delta^H \mathbb{E}(Iu'(c_H)) - (1 - \frac{\lambda^H_0}{u'(c_H)})R^{-H}u'(c_H) = \beta\delta^H \mathbb{E}(Iu'(c_H)) - u'(c_H) - \lambda^H_0 R^{-H} = \beta\delta^H \mathbb{E}(Iu'(c_H)) - \beta\delta^H \mathbb{E}(u'(c_H)).
\]

This is the net benefit of pay-at-harvest insurance.

Liquidity constraints are closely tied to wealth (specifically, to deviations from permanent income, rather than permanent income itself) in the model. Combining Proposition 1 and Lemma B.2 gives the following corollary, under the assumption that the product provides just a marginal unit of insurance (so that we can ignore second order effects).

**Proposition 2.** The net benefit of pay-at-harvest insurance is decreasing in wealth. So too is the cost of paying upfront, rather than at harvest. Among farmers sure to be liquidity constrained before harvest, the latter dominates, so the benefit of pay-upfront insurance is increasing in wealth.\(^{42}\)

Thus, while the benefit of risk reduction (pay-at-harvest insurance) is higher among the poor, they may buy less (pay-upfront) insurance than the rich, because the inherent intertemporal transfer is more costly for them. Liquidity constraints drive both results: the poor are more likely to face liquidity constraints after harvest, meaning that they are less able to self-insure risks to harvest income (shocks in income lead to larger shocks in consumption), but they are also more likely to face liquidity constraints before harvest, making illiquid investments more costly.

**Proof of Proposition 2.** The net benefit of the pay-at-harvest insurance is \( \beta\delta^H \mathbb{E}(V^c_H(w_H + y_H + I - 1)) - \beta\delta^H \mathbb{E}(V^c_H(w_H + y_H)) \). How this changes wrt \( x_0 \) is given by:

\[
\frac{d}{dx_0} \left[ \beta\delta^H \mathbb{E}(V^c_H(w_H + y_H + I - 1)) - \beta\delta^H \mathbb{E}(V^c_H(w_H + y_H)) \right] = \frac{d w_H}{dx_0} \beta\delta^H \mathbb{E}[\mathbb{E}(V^c_H'(w_H + y_H + I - 1)) - \mathbb{E}(V^c_H'(w_H + y_H))].
\]

Now, \( \frac{d w_H}{dx_0} \geq 0 \), by iterating lemma 1 back from period \( H \) to period 0. Also, \( y_H + I - 1 \) strictly second order stochastic dominates \( y_H \) by assumption, and \( V^c_H' \) is strictly convex \((V^{c''}_H > 0 \) by lemma 1), so \( \mathbb{E}(V^c_H'(w_H + y_H + I - 1)) - \mathbb{E}(V^c_H'(w_H + y_H)) < 0 \). Thus, the value of pay-at-harvest insurance is decreasing with wealth.

\(^{42}\)The general point that the gap between pay-upfront and pay-at-harvest insurance is decreasing in wealth follows from the shadow interest rate being decreasing in wealth. In our model that comes from a borrowing constraint (and wealth is the deviation from permanent income), but it could be motivated in other ways, and models sometimes take it as an assumption.
The reduction in net utility from insurance arising from upfront premium payment is $R^{-H} \lambda_0^H$, by proposition 1. By lemma B.2, this is also decreasing in wealth.

If the farmer is certain to be liquidity constrained before the next harvest, when starting with $x_0$, then his wealth at the start of the next harvest $w_H$ will be the same as if he started with $x'_0$, for any $x'_0 < x_0$. This is because wealth in the next period is decreasing in wealth this period, so by the time the farmer has exhausted his wealth starting at $x_0$, he will also have exhausted his wealth starting at $x'_0$. Now, since the income process is memoryless, once the agent has exhausted his wealth, his distribution of wealth at the next harvest is the same, irrespective of his history. Thus the farmer has the same value of deductible insurance, regardless of whether he starts with $x_0$ or $x'_0$, but the extra cost of the intertemporal transfer in the upfront insurance starting from $x'_0$ means that the farmer has a lower value of upfront insurance.

B.2.1 Delaying premium payment by one month

Consider the same insurance product as above, but with the premium payment delayed by just one period (corresponding to our experiment in Section 5.3, where the delay is one month).

**Proposition 3.** The gain in the expected net benefit of insurance from delaying premium payment by one month is, to first order, equivalent to a proportional price cut in the upfront premium of $\mu_0 u'(c_0)$.

Delaying premium payment by one period only increases demand if the farmer is liquidity constrained. The effect on the expected net benefit of doing so is $R^{-H} \mu_0$, compared to $R^{-H}(\mu_0 + \beta E[\sum_{i=1}^{H-1}(R^i \tilde{\mu}_i)]$ from delaying until harvest time. Thus, when $H$ is large, a one month delay will have a small effect relative to a delay until harvest, unless either liquidity constraints are particularly strong at time 0, or there is present bias. Present bias closes the gap in two ways: first, the effect of future liquidity constraints are discounted by $\beta$, and second, the individual naively believes that he will be less likely to be liquidity constrained in the future.

**Proof of Proposition 3.** The proof is essentially the same as that of the second half of proposition 1.

B.3 Insurance with imperfect enforcement

If either side breaks the contract before harvest time, then the farmer does not pay the at-harvest premium, while he would have already paid the upfront premium. Accordingly, imperfect enforcement has implications both for farmer demand for insurance and for the willingness of insurance companies to supply it.

**Default** We assume that both sides may default on the insurance contract. At the beginning of the harvest period, with probability $p$ (unrelated to yield) the insurer defaults on the contract, without reimbursing any upfront premiums.\(^{43}\) The farmer then learns his yield and, if the insurer has not defaulted, can himself strategically default on any at-harvest premium, subject to some (possibly state dependent) utility cost $d$ and the loss of any insurance payouts due.\(^{44}\) Denoting whether the farmer chooses to pay the at-harvest premium by the (state-dependent) indicator function $D_P$, then to first order:

$$D_P := \mathbb{I}[iu'(c_H) + d \geq u'(c_H)]$$  \hfill (B.9)

\(^{43}\)Such default could represent, for example, the insurer going bankrupt or deciding not to honor contracts. The assumption that it is unrelated to yield is reasonable in our setting, as strategic default by the insurer would be highly costly for the farming company, both legally and in terms of reputational costs. We ignore any insurer default after the farmer’s decision to pay the harvest time premium, since it would not have a differential effect by the timing of premium payment.

\(^{44}\)In practice the farmer may face considerable uncertainty about both yields and insurance payouts when deciding to default, which shrinks the difference between pay-upfront and pay-at-harvest. In our setting, for example, the company harvests the crop, at which point its weight is unknown to the farmer, and the area yield trigger further increases uncertainty.
Demand for insurance  Given this defaulting behavior, imperfect contract enforcement drives an additional first-order difference between upfront and at-harvest insurance:

\[
\text{Difference in net benefit of at-harvest & upfront} = R^H \lambda^H + \beta^H \text{pE}[u'(c_H)] + \beta^H (1-p)\text{E}[(1-D_P)[u'(c_H) - d - Iu'(c_H)]]
\]

The size of the difference caused by imperfect enforcement is clearly decreasing in the cost of default, \(d\). If the cost of default is high enough, \(d > \max_s u'(c_H(s))\), the farmer never strategically defaults.

Supply of insurance  While the farmer is better off with the pay-at-harvest insurance, the possibility for strategic default means that the insurer may be worse off, which is the most likely reason why pay-upfront insurance is the norm. Whether there exists prices at which either of the two insurance products could be traded in a given setting depends on both \(d\) and \(p\), as well as liquidity constraints and preferences as discussed earlier.\(^{45}\)

Proposition B.1. If the cost of defaulting for the farmer, \(d\), is too low, pay-at-harvest insurance will not be traded. If the probability of insurer default, \(p\), is too high, pay-upfront insurance will not be traded.

Proof of Proposition B.1. If the cost of farmer default is low enough, then the farmer effectively defaults whenever the net payout of pay-at-harvest insurance is negative, hence the insurer makes a loss regardless of the price. If the probability of insurer default is too high, then the market for pay-upfront insurance unravels: in a pooled equilibrium, the risk of insurer default means farmers are only willing to buy pay-upfront insurance at a significantly reduced price; but the only insurers willing to offer significantly reduced premiums are those who are certain to default.

\(\square\)

B.3.1 Interlinked insurance

Interlinking the insurance contract with the production contract has implications for contractual risk, as it means that default on one entails default on the other.

Outside option \(o(s_H, w_H)\)

If the farmer chooses to sell to the company he receives profits \(g(s)\) (comprising revenues minus a deduction for inputs provided on credit) plus any insurance payout \(I(s)\), minus the insurance premium in the case of pay-at-harvest insurance. He also receives continuation value \(r_C(s)\) from the relationship with the company, which is possibly state dependent. If he chooses to side sell, he receives outside option \(o(s)\) \(^{46}\), and saves the deductions for inputs provided on credit and for the deductible insurance premium, but loses the continuation value and any insurance payout. We abstract from any impact of insurance on the choice of input supply, since, as argued before, the choice set is limited, the double trigger design of the insurance was chosen to minimize moral hazard, and, as reported below, we see no evidence of moral hazard in the experimental data.

Default  Now the farmer has one default decision to make: whether to default on both the insurance and production contracts. We will solve the farmer’s problem backwards, starting with the decision of whether to side-sell conditional on the company not having defaulted on the farming contract. All decisions are as anticipated at time 0. To translate this into the above framework, we define the (now endogenous) cost of farmer default, \(d\), to be the value of the production relationship to the farmer relative to his outside option of selling to another buyer (side-selling):

\[d = E[V_H(w_H + o(w_H))] - E[V_H^0(w_H + y_H)]\]  \((B.11)\)

\(^{45}\)The cost of strategic default is also key in another type of purely cross-state insurance: risk sharing (Ligon et al. 2002; Kocherlakota 1996). Related to the discussion here, Gauthier et al. (1997) show that enlarging the risk-sharing contracting space so as to allow for ex-ante transfers makes the first-best outcome easier to achieve.

\(^{46}\)We don’t have detailed information on payments under side selling, but anecdotal evidence suggests that side sellers pay significantly less than the contract company, so a natural assumption would be that \(o(s) = \alpha y(s)\), where \(\alpha < 1\)
This cost will typically be positive, in which case interlinking helps to enforce the pay-at-harvest premium (this is why credit is often interlinked). However, if the farmer wishes to side-sell for some other reason, for example if the company defaults on aspects of the production contract, then \( d \) will be negative, in which case interlinking encourages default on the premium. Importantly, selective default by the farmer in order to avoid the pay-at-harvest premium is unlikely with under the interlinked contract, since the premium is only marginal if \( d \) is close to zero, and so expected default can be priced into the premium.

While unlikely, if pay-at-harvest insurance does affect side-selling, then the following (simple) proposition tells us how. Intuitively, for those with low yields, insurance payouts increase income from the contract, and so decrease the incentive to side-sell, whereas for those with high yields, pay-at-harvest premiums decrease income, and so increase the incentive to side-sell.

**Proposition 4.** If pay-at-harvest insurance affects side-selling, it makes those with high yields more likely to side-sell, and those with low yields less likely to side-sell.

**Proof of Proposition 4.** Consider the decisions to sell to the company (i.e. not to side-sell). Denote the indicator functions for these decisions by \( D \), with a subscript representing whether or not the insurer has already defaulted on the insurance contract, and a supercript denoting whether the farmer holds insurance, and if so the type of the insurance.

If the insurer has not already defaulted, they are:

\[
D_I = \begin{cases} \mathbb{1}[d \geq 0] & \text{without insurance} \\ \mathbb{1}[u'(c_H) + d \geq 0] & \text{with pay-upfront insurance} \\ \mathbb{1}[u'(c_H) + d \geq u'(c_H)] & \text{with pay-at-harvest insurance} \end{cases}
\]

If the insurer has already defaulted, they are:

\[
D_D = \begin{cases} \mathbb{1}[d \geq 0] & \text{without insurance} \\ \mathbb{1}[d \geq 0] & \text{with pay-upfront insurance} \\ \mathbb{1}[d \geq u'(c_H)] & \text{with pay-at-harvest insurance} \end{cases}
\]

Since \( I(s)u'(c_H(s)) \) and \( u'(c_H(s)) \) are non-negative, and \( Iu'(c_H) \) and \( (I - 1)u'(c_H) \) are larger when yields are low, the results follow.

As for the effect on imperfect enforcement on insurance demand, we have the following result, which enables us to relate the impact of ex-ante expectations of default to the impact of a price cut in the upfront premium, a point we return to in Section 5.4:

**Proposition 5.** The option to side-sell in the interlinked contract drives a wedge between pay-at-harvest and pay-upfront insurance, bound above by a price cut in the upfront premium of:

\[
P(side-sell \ with \ pay-at-harvest) \frac{\mathbb{E}[u'(c_H) \mid side-sell \ with \ pay-at-harvest]}{\mathbb{E}[u'(c_H)]}
\]

Further, in so far as default is non-selective (i.e. independent of yield), it does not affect demand for pay-at-harvest insurance (to first order).

**Proof of Proposition 5.** The basic intuition is that the extra loss from paying upfront is at most the premium when the farmer side-sells - if insurance did not change the decision to side-sell, then it is exactly the premium, if it did change the decision to side-sell, then by revealed preference the farmer loses at most the premium.

Formally, consider the net benefit of insurance, which is the benefit of the payout minus the cost of the premium payment. With perfect enforcement, we know that pay-at-harvest insurance is equivalent to upfront insurance with a
percentage price cut of \( \frac{\lambda u'}{\psi(c_H)} \). With imperfect enforcement, denote the net benefit of pay-upfront insurance product by \( S_U \), and the net benefit of pay-at-harvest insurance by \( S_D \). Then:

\[
\mathbb{E}[S_D - S_U] = (1-p)(\Sigma d_P, d'_P \in (0,1)) \mathbb{P}[D^I = d^I, D^D = d^D] \mathbb{E}[S_D - S_U | D^I = d^I, D^D = d^D] \\
+ p(\Sigma d_P, d'_P \in (0,1)) \mathbb{P}[D^I = d^I, D^D = d^D] \mathbb{E}[S_D - S_U | D^I = d^I, D^D = d^D]
\]

Now, \( D^I_U \geq D^D_U \) and \( D^I_I \geq D^D_I \). Also:

\[
\mathbb{E}[S_D - S_U | D^I = 1, D^D = 1] = \mathbb{E}[S_D - S_U | D^D = 1, D^D = 1] = 0
\]

This leaves the cases where both default, or where pay-at-harvest defaults and pay-upfront doesn’t. Conditional on \( D^I_U = 0, D^D_U = 0, \) we have

\[
S_D - S_U = \beta \delta^H u'(c_H)
\]

When \( D^I_U = 1, D^D_U = 0 \), then

\[
S_D - S_U = \beta \delta^H (u'(c_H) - (1-p)Iu'(c_H) - d) \leq \beta \delta^H u'(c_H)
\]

Thus:

\[
\mathbb{E}[S_D - S_U] \leq (1-p)(\mathbb{P}[D^I_U = D^D_U = 0] + p[\mathbb{P}[D^I_U = 1, D^D_U = 0]) \beta \delta^H \mathbb{E}[u'(c_H)|D^D_U = 0] \\
+ p(\mathbb{P}[D^I_U = D^D_U = 0] + p[\mathbb{P}[D^I_U = 1, D^D_U = 0]) \beta \delta^H \mathbb{E}[u'(c_H)|D^D_U = 0]
\]

with strict inequality iff \( \mathbb{P}[D^I_U = 1, D^D_U = 0] > 0 \). The right hand side can be rewritten to give:

\[
\Leftrightarrow \mathbb{E}[S_D - S_U] \leq (1-p)\mathbb{P}[D^D_U = 0] \beta \delta^H \mathbb{E}[u'(c_H)|D^D_U = 0] \\
+ p(\mathbb{P}[D^D_U = 0] \beta \delta^H \mathbb{E}[u'(c_H)|D^D_U = 0]
\]

We compare this to the surplus effect on the net benefit of upfront insurance of a further proportional price reduction of \( \mathbb{P}(\text{side-sell with at-harvest}) \frac{\mathbb{E}[u'(c_H)]}{\mathbb{E}(u'(c_H))} \), which is:

\[
\mathbb{P}(\text{side-sell with at-harvest}) \frac{\mathbb{E}[u'(c_H)]}{\mathbb{E}(u'(c_H))} \mathbb{E}(u'(c_H)) = \mathbb{P}(\text{side-sell with at-harvest}) \mathbb{E}(u'(c_H))
\]

\[\square\]

### C Bounding the effect of the transfer across time

Households are both consumers and producers. The implications of this dual role have long been considered in development economics. In particular, in the presence of market frictions, separation may no longer hold, so that production and consumption decisions can no longer be considered separately (Rosenzweig and Wolpin 1993; Fafchamps et al. 1998). Above we considered the household’s full dynamic problem, which incorporates discount factors and stochastic consumption paths. Often, however, we can apply a sufficient-statistic style approach, where we rely on observed behavior to tell us what we need to know, without having to estimate all of the parameters of the full optimization problem. In the case of intertemporal decisions, an individual’s investment behavior, and in particular the interest rates of investments they do and do not make, can serve this role.

In this section we consider what observed investment behavior can tell us about hypothetical insurance take-up decisions, given the intertemporal transfer in insurance. Empirically, investment decisions may be easier to observe than discount factors and beliefs about consumption distributions (which are needed if we consider the full dynamic problem), and other studies provide evidence on interest rates in similar settings - both for investments made and for investments forgone. Using a simplified version of the model developed above, we consider under which conditions farmers would and would not take up insurance, given information on their other investment behavior.
To simplify, we now assume that at harvest time there are just two states of the world, the standard state \( h \) and the low state \( l \), with the low state happening with probability \( p \).\(^{47}\) We assume that insurance is perfect - it only pays out in the low state (at time \( H \)), and that it is again actuarially fair. To simplify notation, in this section we denote by \( R \) the interest rate on the insurance covering the whole period from the purchase decision until harvest time. We also assume CRRA utility, so that \( u(c) = c^{1-\gamma}/(1-\gamma) \).

Under this setup, the expected net benefit of a marginal unit of standard, upfront insurance is:

\[
\beta \delta^H R \mathbb{E}[c_H(y_l)^{-\gamma}] - c_0^{-\gamma} 
\]

Consider first the case that the farmer forgoes a risk-free investment over the same time period which has rate of return \( R' \). Then, first we know that paying upfront is at least as costly as a price increase in pay-at-harvest insurance of \( R'R \), and second we know that:

\[
\beta \delta^H R'(p \mathbb{E}[c_H(y_l)^{-\gamma}] + (1-p)\mathbb{E}[c_H(y_h)^{-\gamma}]) - c_0^{-\gamma} < 0 
\]

Substituting this into the expected benefit of upfront insurance, we can deduce that farmers will not purchase standard insurance if:

\[
\mathbb{E}[c_H(y_l)^{-\gamma}] \mathbb{E}[c_H(y_h)^{-\gamma}] < \frac{1 - p}{R'R - p}
\]

So, the farmer will not purchase insurance if under all consumption paths:

\[c_H(y_l) < A c_H(y_h)\]

with \( A \) given by:

\[
A = \left( \frac{1 - p}{R'R - p} \right)^{\frac{1}{\gamma}}
\]

Unsurprisingly, \( A \) is increasing in the (relative) forgone interest rate \( R/R' \), and decreasing in the CRRA \( \gamma \). Also, \( A \) is increasing in the probability of the low state, \( p \), suggesting that the intertemporal transfer is less of a constraint on insuring rarer events.

Similarly, we can consider the case where the farmer makes an investment over the period with risk-free interest rate \( R' \). Under the same logic, we first know that a price raise of pay-at-harvest insurance of \( R'R \) is at least as costly as paying upfront, and second we also know the farmer will purchase insurance if, for all consumption paths:

\[c_H(y_h) > A c_H(y_l)\]

The following tables report \( A \) for various values of \( R'/R \), \( p \), and \( \gamma \). The tables thus reports how much consumption must vary between good and bad harvests in order to be sure about farmers’ decisions to buy perfect insurance, given their investment decisions. In the case of forgone investments, it tells us the largest variation in consumption for which we can be sure that the farmer will still not buy perfect insurance; in the case of made investments, it tells us the smallest variation in consumption for which we can be sure that the farmer will buy perfect insurance. We note that \( A \) represents variation in consumption between states at harvest time - not variation in income, which is likely to be significantly larger. The effect can be sizeable. For example, for a risk which has a 20% chance of occurring, if the forgone investment has risk-free rate of return 50% higher than the interest rate charged on the insurance, then farmers with CRRA of 1 will forgo a perfect insurance product even when the consumption in the good state is 71.4% higher than consumption in the bad state.

\[\gamma = 1\]

\(^{47}\)Note that the following can be easily generalized so that these two states represent average outcomes when insurance does not and does pay out respectively.
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<tr>
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D Other channels

In this section we briefly discuss several additional potential channels, several of which are interesting and warrant future work.

The at-harvest premium is a deduction, while the upfront premium is a payment; this difference suggests several (behavioral) channels which are not directly about timing. First, according to prospect theory (Kahneman and Tversky 1979; K˝ oszegi and Rabin 2007), farmers may be more sensitive to losses than gains. While a thorough application of the theory is beyond the scope of this paper (and would require detailing how reference points are set), intuitively upfront payments may fall in the loss domain, while at-harvest payments, being deductions, may be perceived as lower gains. Second, according to relative thinking (Tversky and Kahneman 1981, Azar 2007), farmers may make choices based on relative quantities, rather than absolute quantities. Being small relative to harvest revenues, the at-harvest premium could appear smaller than the upfront premium (we thank Nathan Nunn for pointing out this explanation). Salience Theory offers a similar argument: under a multiple time period interpretation of Bordalo et al. (2012), diminishing sensitivity means that the upfront period may be more salient than harvest period, since income will be higher in the latter. Finally, inputs were already charged as deductions from harvest revenues in our setting, so pay-at-harvest could have seemed like the default (although we note that the high take-up of pay-at-harvest insurance, not the low take-up of pay-upfront insurance, is the outlier in our results compared to other studies).

The large effect of just a one month delay in premium payment, however, does point to the direct importance of timing, which could arise in several ways beyond those captured in our model. First, numerous empirical studies find a jump in demand at zero prices (Cohen and Dupas 2010); a similar, zero-price today effect could help explain our results. Such an effect would be an alternative explanation for the finding in Tarozzi et al. (2014) that offering anti-malarial bednets through loans has results in a large increase in take-up, and would also explain the prevalence of zero down-payment financing options for many consumer purchases, such as cars and furniture. Second, Andreoni and Sprenger (2012) report expected utility violations when certain and uncertain outcomes are combined – pay-upfront insurance combines a certain payment with an uncertain payout, whereas both are uncertain in pay-at-harvest insurance. Third, at-harvest and upfront payments may have different implications for bargaining in other interactions within the household or within informal risk sharing networks (Jakiela and Ozier 2016; Kinnan 2017). Finally, while unlikely in our setting, allowing farmers to pay at harvest rather than upfront for insurance may provide a positive signal of the quality of the insurance.